

JC2 Prelim (H2 Physics) Paper 1 Solutions

Qn	1	2	3	4	5	6	7	8	9	10
Ans	D	D	D	C	C	C	B	C	B	D

Qn	11	12	13	14	15	16	17	18	19	20
Ans	B	B	B	C	B	D	A	B	D	B

Qn	21	22	23	24	25	26	27	28	29	30
Ans	C	C	B	B	A	A	B	A	C	C

1 Ans: D

Depth of swimming pool  $\approx 2m$

Pressure at the bottom of the pool =  $p_0 + \rho gh = 10^5 + (10^3)(10)2 = 10^5 Pa$

2 Ans: D

$$[E] = \frac{[Q]^{1n}}{[k]}$$

$$kg\ m^2\ s^{-2} = \frac{A^n\ s^n}{A^2\ s^4\ kg^{-1}\ m^2}$$

$n = 2$

3 Ans: D

$$d_2 - d_1 = 3.46\ mm$$

$$\Delta(d_2 - d_1) = \Delta(d_2) + \Delta(d_1) = 0.03 + 0.02 = 0.05\ mm$$

$$\frac{\Delta(d_2 - d_1)}{d_2 - d_1} \times 100\% = \frac{0.05}{3.46} \times 100\% = 1.4\%$$

4 Ans: C

He decelerated in one direction and accelerated in the opposite direction at the same rate. Therefore the acceleration vector should be in the same direction before and after he made the U-turn.

5 Ans: C

Kinetic Energy =  $p^2/2m$

Since both M and m have the same Kinetic Energy,  $p^2 \propto m$

$$\frac{p_M^2}{p_m^2} = \frac{M}{m}$$

$$\frac{p_M}{p_m} = \sqrt{\frac{M}{m}}$$

6 Ans: C

$$F = \Delta p / \Delta t$$

$$5 = \Delta p / 4$$

$$\Delta p = 20$$

7 Ans: B

Since the weight of the contents in the cup remains the same, no change to the pressure at the bottom.

8 Ans: C

Force constant,  $k = \frac{50}{0.1} = 50\ N\ m^{-1}$

Initial extension =  $\frac{F}{k} = \frac{3}{50} = 0.06\ m$  and final extension =  $\frac{F}{k} = \frac{2.5}{50} = 0.05\ m$

Change in E.P.E =  $\frac{1}{2}kx_f^2 - \frac{1}{2}kx_i^2 = \frac{1}{2}(50)(0.05)^2 - \frac{1}{2}(50)(0.06)^2 = -0.028\ J$

9 Ans: B

Lorry is accelerated from rest to a speed of  $100\ km\ h^{-1}$ . Work done by lorry's engine = increase in lorry's K.E. Friction has to be ignored as minimum time is to be considered

$$P_t = \frac{1}{2}mv^2$$

$$t = \frac{mv^2}{2P}$$

where  $v = 100\ km\ h^{-1} = 27.78\ m\ s^{-1}$

$$\therefore t = \frac{(2000)(27.78)^2}{2 \times 50000} = 15.4\ s$$

10 Ans: D

Considering  $10.0\ g$  alone,  $T_2$  provides the centripetal force for it.

$$T_2 = m r \omega^2$$

$$= (0.010)(0.150 + 0.050) 6.28^2 = 0.079\ N$$

Considering  $21.0\ g$  alone,  $(T_1 - T_2)$  provides the centripetal force for it.

$$T_1 - T_2 = (0.021)(0.150) 6.28^2 = 0.124\ N$$

$$T_1 = 0.203\ N$$

Ratio =  $0.203 / 0.079 = 2.6$

11 Ans: B

$$F_{net} = \frac{mv^2}{r} \Rightarrow mg - R = \frac{mv^2}{r}$$

$$R = mg - \frac{mv^2}{r}$$

12 Ans: B

$$\frac{GM_E/r_M^2}{GM_M/r_M^2} = 6 \dots\dots\dots(1) \quad \frac{PE}{PM} = \frac{M_E/(4/3)\pi r_E^3}{M_M/(4/3)\pi r_M^3} = \frac{5}{3} \dots\dots\dots(2)$$

$$\text{From (1), } \frac{M_E}{M_M} = \frac{6r_E^2}{r_M^2} \dots\dots\dots(3)$$

$$\text{Substitute (3) into (2), } \frac{6r_E^2}{r_M^2} \times \frac{r_M^3}{r_E^3} = \frac{5}{3} \Rightarrow \frac{r_E}{r_M} = 3.6$$

13 Ans: B

Given: Actual gas pressure = pressure gauge reading (of 200 kPa) + atmospheric pressure (of 100 kPa)

Thus initial actual gas pressure  $p_i = 200 + 100 \text{ kPa} = 300 \text{ kPa}$ , at initial temp of  $25^\circ\text{C}$

Assuming vol of tyre = const, actual gas pressure  $p \propto T$ . Given  $T_i = 50^\circ\text{C}$

→ Final actual gas pressure  $p_f = (T_f/T_i) \times p_i = (50 + 273.15)/(25 + 273.15) \times 300 \text{ kPa} = 325 \text{ kPa}$

Thus final pressure gauge reading =  $325 - 100 = 225 \text{ kPa}$

Thus  $\Delta p/p_i$  in the pressure gauge readings =  $(225 - 200)/200 = 0.125$

In terms of percentage, =  $0.125 \times 100\% = 12.5\%$

14 Ans: C

Since heat supplied  $Q = mL + h$  where  $m = \text{rate of loss of mass of liquid}$ ,  
 Power supplied  $P = mL + h$  where  $m = \text{rate of loss of mass of liquid}$ ,  
 $h = \text{rate of heat loss to environment}$

Substituting,  $P_1 = m_1 L + h$  eqn (1),  $P_2 = m_2 L + h$  eqn (2)

(1) - (2) gives  $L = \frac{P_1 - P_2}{m_1 - m_2}$

15 Ans: B

$$\Delta U = Q + W = (+80) + (-100) = -20 \text{ J (B)}$$

16 Ans: D

At point P, the displacement  $x$  is negative.  
 Since  $a = -\omega^2 x \Rightarrow F = ma = -m\omega^2 x$ .  
 A negative  $x$  will mean  $F$  is positive (B and C are eliminated as  $F$  is negative at these positions).  
 At point P, the velocity is negative.

Since a - t graph is a cosine graph, v - t graph will be a sine graph. Sketch this v-t graph on the same t axis as the given F-t graph. Can see that pt A has a positive velocity while pt D has a negative velocity. Hence ans is D.

17 Ans: A

For the object to remain in contact with the platform throughout the motion, its acceleration must not be greater than  $9.81 \text{ m s}^{-2}$ .

$$a_{max} = \omega^2 x_0$$

$$x_0 = \frac{a_{max}}{\omega^2} = \frac{a_{max}}{(2\pi f)^2} = \frac{9.81}{(2\pi(1.5))^2} = 0.11 \text{ m}$$

18 Ans: B

For a point source, intensity  $I \propto 1/r^2$  (1)

For all waves, intensity  $I \propto (\text{amp, } A)^2$  (2)

Thus, amplitude  $A \propto 1/r$  (A)

Substituting,  $8X \propto 1/r$  (B)

Final amplitude  $\propto 1/(2r)$  (B)

(B)/(A): Final amplitude =  $4X$  (B)

19 Ans: D

Given:  $\lambda = 600 \text{ nm}$ . Deduce grating spacing  $d = 1/(3.0 \times 10^5) \text{ m}$

Total number of images =  $2 n_{highest} + 1$  (1)

To get highest order of diffraction,  $n_{highest}$ :

From  $d \sin \theta = n\lambda$ ,  $\Rightarrow n_{highest} = d \sin 90^\circ / \lambda = 5.6$

Since  $n$  must be an integer,  $n_{highest} = 5$  (the largest integer which is smaller than 5.6)

Thus in (1): total number of images =  $(2 \times 5) + 1 = 11$  (D)

20 Ans: B

From graph, when current is 40 mA, p.d. is approximately 1.2 V.

Therefore, p.d. across resistor =  $6.0 - 1.2 = 4.8 \text{ V}$

$$R = V/I = (4.8)/(0.040) = 120 \Omega$$

21 Ans: C

For 1 strand:

$$R = \frac{\rho l}{A} = \frac{(1.72 \times 10^{-8}) \cdot 1.0}{\pi \left( \frac{0.3 \times 10^{-3}}{2} \right)^2} = 0.2433 \Omega$$

For 7 strands in parallel:

$$\frac{1}{R_{11}} = \frac{1}{R} + \frac{1}{R} + \frac{1}{R} + \frac{1}{R} + \frac{1}{R} + \frac{1}{R} + \frac{1}{R}$$

$$R_{11} = \frac{R}{7} = \frac{0.2433}{7} = 0.03476 \Omega$$

$$V = IR_{11} = (13)(0.03476) = 0.4519 \text{ V}$$

22 Ans: C

When switch is open:

$$V = E - Ir$$

$$1.5 = E - (0)r$$

$$E = 1.5 \text{ V}$$

When switch is closed:

$$V = E - Ir$$

$$0.75 = 1.5 - (0.75/4.0)r$$

$$r = 4.0 \Omega$$

23 Ans: B

Direction of E-field = direction of force acting on a **positive** charge placed at that position.This is taken to be a tangent if the field line is a curve.Thus force acts on the electron ( a negative charge) in the opposite direction along the tangent drawn at X.

24 Ans: B

The centripetal force on the particle when entering is upwards hence magnetic force is upwards.

Using Fleming's left hand rule, current is in the same direction as the velocity of the particle, so it must be positively charged.

If direction of magnetic force is upwards, electric force on that positive charged particle must be downwards so electric field must also be downwards.

25 Ans: A

There is no change of flux linkage

26 Ans: A

$$I = I_0 \sin \omega t = \sqrt{\frac{P_0}{R}} \sin \frac{2\pi}{T} t = \sqrt{\frac{150}{6.0}} \sin \frac{2\pi}{0.020} t$$

$$I = 5.0 \sin 100\pi t$$

27 Ans: B

The highest energy level the hydrogen atom can reach is  $n = 3$  if max KE is 12.5 eV.

The following transitions and the corresponding wavelengths are:

$$\lambda = hc/E = [(6.63 \times 10^{-34})(3.00 \times 10^8)/(1.60 \times 10^{-19})]/\Delta E \text{ in eV}$$

$$n = 3 \text{ to } n = 2: \lambda = 1.24 \times 10^{-6} / (3.40 - 1.53) = 6.65 \times 10^{-7} \text{ m (red)}$$

$$n = 3 \text{ to } n = 1: \lambda = 1.24 \times 10^{-6} / (13.6 - 1.53) = 1.03 \times 10^{-7} \text{ m (not visible, outside 400nm to 700nm)}$$

$$n = 2 \text{ to } n = 1: \lambda = 1.24 \times 10^{-6} / (13.6 - 3.40) = 1.22 \times 10^{-7} \text{ m (not visible, outside 400nm to 700nm)}$$

28 Ans: A

$$hc / \lambda_{\min} = e V_a$$

Since the accelerating voltage has increased, the minimum wavelength will decrease.

29 Ans: C

$$\Delta m c^2 = \text{Energy of photon emitted}$$

$$(\text{mass}_{\text{excited}} - \text{mass}_{\text{ground}}) c^2 = 2.13 \times 10^{-13} \text{ J}$$

$$(\text{mass}_{\text{excited}} - 59.9308 \text{ u}) = 2.366667 \times 10^{-30} \text{ kg}$$

$$\text{Since } 1 \text{ u} = 1.66 \times 10^{-27} \text{ kg, (mass}_{\text{excited}} - 59.9308 \text{ u}) = 0.0014257 \text{ u}$$

$$\text{mass}_{\text{excited}} = 59.9322 \text{ u (C)}$$

30 Ans: C

Given half-life = 60 days &  $t_{\text{in}} = 124$  is stable.After one half-life:  $N_{\text{ant}} : N_{\text{trn}} = 1:1$ 

After 2 half-lives:

$$N_{\text{ant}} : N_{\text{trn}} = 1:3 \text{ since } N_{\text{ant}} = \frac{1}{2} \text{ initial number of Antimony \&}$$

$$N_{\text{trn}} = \frac{3}{2} \text{ of initial number of Antimony}$$

After 3 half-lives:  $N_{\text{ant}} : N_{\text{trn}} = 1:7$  since  $N_{\text{ant}} = \frac{1}{8}$  initial number of Antimony

$$N_{\text{trn}} = \frac{7}{8} \text{ of initial number of Antimony}$$

$$\text{Thus } \frac{\text{number of trn-124 nuclei}}{\text{number of antimony-124 nuclei}} = 6 \text{ occurs between 2 \& 3 half-lives,}$$

ie between 120 &amp; 180 days. (C)

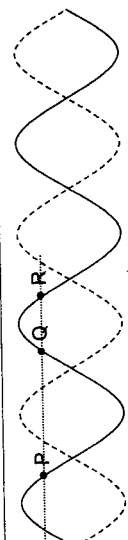
Alternatively, we can calculate the actual number of days as shown:

Since  $T_{\text{in}}$  is stable,  $N_{\text{ant}} + N_{\text{trn}} =$  initial number of Antimony,  $N_0$ After time  $t$ :  $N_{\text{ant}} = 6 N_{\text{ant}} \left(\frac{1}{2}\right)^{\frac{t}{60}}$ , we can deduce  $\frac{N_{\text{trn}}}{N_0} = \frac{1}{7}$ Substitute into eqn  $N = N_0 e^{-\lambda t}$  for Antimony,  $t = 168$  days.



<p><b>1 (a)(i)</b> {Given: <math>m = 0.3 \text{ kg}</math>; <math>k = 80 \text{ N m}^{-1}</math>; obeys Hooke's law}</p> <p>At point of release: <math>v = 0</math>, <math>KE = 0</math>. Let <math>GPE = 0</math> at the point of release. At point of max compression: <math>v = 0</math>, <math>\rightarrow KE = 0</math></p> <p><b>Loss in GPE = Gain in elastic potential energy { + zero KE }</b></p> $mg(0.10 + x) = \frac{1}{2} kx_{\text{max}}^2 \quad (A)$ $0.30(9.81)(0.10 + x_{\text{max}}) = \frac{1}{2} (80)x_{\text{max}}^2$ <p><math>\rightarrow</math> Max compression <math>x_{\text{max}} = 0.13 \text{ m}</math></p>		<p>[1]</p>
<p><b>(ii)1.</b> {As compression (ie <math>x</math>) increases, upward force exerted by spring increases until it becomes = <math>mg</math> (downward); hence, block accelerates at a decreasing rate while increasing in speed, as spring is being compressed under a net force = <math>mg - kx</math>. Hence kinetic energy increases until <math>F_{\text{net}} = 0</math>, (reaches a max) ie compression continues until (<math>mg - kx</math>) becomes 0,}</p> <p>At max ke: <math>mg = kx \quad (A)</math> {Explanation: since <math>F_{\text{net}} = 0</math>}</p> $\text{ie } 0.30(9.81) = 80 x$ $x = \frac{mg}{k} = \frac{0.30(9.81)}{80}$ $= 0.037 \text{ m (shown)}$		<p>[1]</p>
<p><b>2.</b> Loss in GPE = <math>mg(0.10 + 0.037)</math></p> <p>Loss in GPE = Gain in EPE + Gain in KE (using energy considerations)</p> $mg(0.10 + 0.037) = \frac{1}{2} k(0.037)^2 + \text{Gain in KE}$ <p><math>\rightarrow</math> Gain in KE = Loss in GPE - EPE</p> $= (0.30)(9.81)(0.10+0.037) - \frac{1}{2}(80)(0.037)^2$ $= 0.403 - 0.0547 = 0.35 \text{ J}$ <p><math>\Rightarrow</math> Maximum KE = 0.35 J (initial KE = 0 J)</p>		<p>[1 - ecf]</p>

<p><b>(iii)</b></p>		<p>[3] {[1] for each correct graph}</p>
<p><b>2(a)(i)</b></p>	<ul style="list-style-type: none"> <li>Satellite lies on equatorial plane of the Earth.</li> <li>Rotates fr west to east.</li> </ul>	<p>[1] [1]</p>
<p><b>(a)(ii)</b></p>	<p>Any 1:</p> <ul style="list-style-type: none"> <li>no tracking of the satellite required to receive signals from Earth</li> <li>Since it's positioned at high altitude, it has a large spatial coverage</li> <li>can monitor the same area consistently (ie can send &amp; receive transmission from the area under observation without interruption)</li> </ul>	<p>[1]</p>
<p><b>(b)(i)</b></p>	<p>{Given: <math>\phi</math> = potential at the surface of sphere of radius <math>r</math>. Required: the potential fr <math>d = r</math> to <math>d = 4r</math>. For <math>d &lt; r</math>: not required}</p> <p>curve from <math>r</math> to <math>4r</math>, with gradient of decreasing magnitude and starting at (<math>r \pm \phi</math>), passing through (<math>2r, \pm 0.5\phi</math>) and (<math>4r, \pm 0.25\phi</math>) according to <math>\phi = \frac{GM}{r}</math>.</p> <p>line (this must be a curve) showing potential is negative throughout.</p>	<p>[1]</p>
<p><b>(ii)</b></p>	<p><math>GPE = -GMm/r</math></p> <p>change = <math>GPE_{\text{final}} - GPE_{\text{initial}}</math></p> $= - \frac{6.67 \times 10^{-11} (6.0 \times 10^{24}) (3.4 \times 10^3)}{(6.4 \times 10^6)} \left( \frac{1}{4} - \frac{1}{3} \right)$ $= -1.77 \times 10^{10} \text{ J} = -1.8 \times 10^{10} \text{ J}$	<p>[1] [1]</p>

(iii)	rock loses GPE. (so) KE increases. (by PCE) or GPE converted to KE or since the net force is the attractive gravitational force, there is an acceleration so speed increases.	[1]
3(a)(i)	Two waves are coherent if they have a <b>constant phase difference</b> (not zero phase difference) between them.	[1]
(ii)	estimated range of $\lambda$ . (for red light) = 700 nm (650 – 750 nm) Fringe separation $x = \frac{\lambda D}{a}$ where $D = 2.4$ m; $a = 0.86$ mm = $8.6 \times 10^{-4}$ m For $\lambda = 700 \times 10^{-9}$ m, $x = 1.95$ mm (required unit in mm) For 650 nm: $x = 1.81$ mm; for 750 nm, $x = 2.09$ mm	[1] [1-ecf] [1-ecf]
(iii)	Dark fringes become <b>less dark, or, become brighter, or intensity increases.</b> (Accept: <b>no longer completely dark</b> ) The <b>amplitudes</b> of the 2 waves that superpose at a dark fringe are <b>no longer equal.</b> (By the Principle of Superposition), the <b>resultant amplitude</b> (& hence, intensity), will <b>no longer be zero,</b> or, <b>completely destructive interference</b> no longer occurs.	[1] [1] [1]
(b)(i)	$c = f\lambda$ , { where $c = 3.00 \times 10^8$ m s <sup>-1</sup> , $f = 2.45$ GHz = $2.45 \times 10^9$ Hz } → $\lambda = 0.122$ m	[1] [1]
(ii)		[2]
	All 3 pts correct: award [2] : 2 pts correct: [1]	
4 (a)(i)	$I = V/R = (1.5)/(8.0) = 0.188$ A = 0.19 A $F = BIL \sin 90^\circ = (1.2 \times 10^{-2})(0.188)(24) = 0.054$ N	[1] [1]
(a)(iii)	Resistance of wire increases by a factor of 4 (since $R \propto 1/A$ , $A \propto d^2$ ) or, current decreases by a factor of 4 Hence, force decreases by a factor of 4 (since $F \propto I$ )	[1] [1] [1]

(b)(i)	F upwards between the poles (perpendicular to wire)	[1]
(b)(ii)	Deduce Period $T = 20$ ms = $20 \times 10^{-3}$ s (fr Fig 4.3) → $f = 1/T = 1/(20 \times 10^{-3}) = 50$ Hz $\lambda/2 = 0.75$ m (for fundamental frequency) → $\lambda = 1.50$ m $v = f\lambda = (50)(1.50) = 75$ m s <sup>-1</sup>	[1] [1-ecf]
(b)(iii)	A stationary wave (is formed on the wire between the clamps). {Drawing a diagram with a <u>single loop</u> betw the 2 clamps will be most helpful.} Amplitude varies at every point. {By drawing, show that the amplitudes at 2 different positions are different. No credit if discussion is on nodes and antinodes only because "all points on the wire "BETWEEN THE CLAMPS" means the nodes are to be excluded from discussion.} Since $a = -\omega^2 x$ , (maximum) acceleration is proportional to amplitude; hence acceleration is different for different pts on the wire.	[1] [1] [1]
5(a)(i)	AC voltages can be stepped up and stepped down using a transformer for a more efficient transmission of power. {This is an advantage because with DC voltages, stepping them up & down is more difficult to achieve.}	[1]
(a)(ii)	For a given amount of power generated, electrical energy transmitted at high voltages would mean a lower current in the cables { $P_{gen} = IV$ }, & thus, less power loss in cables, or reduced heating in cables, (or thinner cables can be used, leading to reduced cost).	[1] [1]
(b)(i)	Lamination reduces (not prevents) power loss in the core due to eddy currents. (Accept "induced current")	[1] [1]
(b)(ii)	no power loss in transformer (but not power loss in the wires or power loss in the core) or, input power (to the primary) = output power (of the secondary)	[1]
(c)	{ Given: $N_p = 300$ , $N_s = 8100$ V <sub>rms, primary</sub> = 9.0 V } $\frac{V_s}{V_p} = \frac{N_s}{N_p}$ $\frac{V_s}{9.0} = \frac{8100}{300}$ $\rightarrow V_{rms, sec} = 243$ V → peak $V_s = \sqrt{2} \times 243 = 344$ V = 340 V	[1]

6 (a)(i)	$Q = It$ $\rightarrow Ne = It$ $\frac{N}{t} = \frac{I}{e} \quad \{ I = 4.2 \times 10^{-9} \text{ A} \quad \text{from Fig 6.2 at } V = 2.0 \text{ V} \}$ $= \frac{4.2 \times 10^{-9}}{1.6 \times 10^{-19}}$ $= 2.63 \times 10^{10} \text{ s}^{-1}$	[1]
(a)(ii)1.	No change (Max energy is a function of freq & $\phi$ since $hf = \phi + \frac{1}{2} m_e v_{max}^2$ )	[1]
(a)(ii)2.	{From line 1 p 14, candidates need to deduce the frequency is kept const as the intensity is increased}  Increasing the intensity increases the <u>rate</u> (of incidence) of the photons. $\frac{N}{t}$  Hence the photoelectric current <u>increases</u> since current increases when rate of emission of electrons increases.	[1]
(b)(i)	The <u>minimum</u> energy required to eject an electron (from a metal surface).	[1]
(b)(ii)	Since <u>work function energy</u> $\phi \propto f_0$ , or $\phi = hf_0$ , where $f_0$ is the threshold frequency,  potassium has the lowest threshold frequency as potassium has the <u>lowest work function energy</u> .	[2]
(iii)	$hf = \phi + KE_{max}$ $h \frac{c}{\lambda} = \phi + KE_{max}$ $\left( \frac{6.63 \times 10^{-34} \times 3 \times 10^8}{3.2 \times 10^{-7}} \right) = 3.7 \times (1.6 \times 10^{-19}) + KE_{max}$ $KE_{max} = 2.96 \times 10^{-20} \text{ J}$	[1] [1]
(iv)	$KE = \frac{1}{2} m_e v^2$ $2.96 \times 10^{-20} = \frac{1}{2} (9.11 \times 10^{-31}) v^2$ $\rightarrow v = 2.549 \times 10^5 \text{ m s}^{-1}$  $\lambda = \frac{h}{mv} = \frac{6.63 \times 10^{-34}}{9.11 \times 10^{-31} \times 2.549 \times 10^5}$ $= 2.86 \times 10^{-9} \text{ m}$	[1 - ecf] [1 - ecf]

7(a)(i)	Nuclear fusion	[1]
(iii)	<b>Origin of the energy source:</b> 1. rotation (energy) of Earth 2. <b>gravitational forces</b> produced by the Moon and/or Sun on the water (see para 2 line 2 & 3)	[1] [1]
(b)(i)	from GPE to electrical (ignore intermediate kinetic energy) or <b>rotational KE</b> (of Earth) to electrical (ignore intermediate kinetic energy)	[1]
(ii)	Any two of:  friction between water and pipe, viscosity within water, friction between moving parts, resistive heating in coils, cables eddy currents in transformer / generator	[2]
(c)(i)	Rate of loss of GPE = $mg\Delta h/t = \rho(V/t)g\Delta h$ $= 1.03 \times 10^3 \times 2100 \times 9.81 \times 12.4$ $= 2.63 \times 10^8 \text{ J s}^{-1}$	[1] [1 - ecf for incorrect $\Delta h$ ]
(ii)	Output power, $P = (90.5/100) \times 2.63 \times 10^8$ $= 2.38 \times 10^8 \text{ W}$ $= 238 \text{ MW}$	[1 - ecf]
(iii)	$P = IV$ where $V = 225 \text{ kV}$  $I = P/V$ $= 2.38 \times 10^8 / 225 \times 10^3$ $= 1.06 \times 10^3 \text{ A}$	[1 - ecf] [1]
(d)(i)	(Given: <b>annual energy output</b> = $5.4 \times 10^8 \text{ kWh}$ ) $= 5.4 \times 10^8 \times 10^3 \times 3600 \text{ J}$  $C_e =$ actual energy generated / theoretical max electrical energy output  Theoretical maximum electrical energy output from generators per annum = $240 \times 10^6 \times 365 \times 24 \text{ Wh}$ (para 2 line 3) [NOT: $238 \times 10^6$ ] $= 2.1 \times 10^{12} \text{ Wh}$ , or $2.10 \times 10^6 \text{ MWh}$ or $2 \times 10^9 \text{ kWh}$  $C_e = 5.4 \times 10^8 \text{ (kWh)} / 2 \times 10^9 \text{ (kWh)}$ $= 0.257$ or $25.7\%$	[1 - ecf for (c)(ii) value e.g. 238 MW] [1 - ecf for (c)(ii) value e.g. 238 MW]
(ii)	Any one of: (there are times when) generation is less than the maximum level due to energy loss, or, when water levels are not sufficiently different or water levels are equal	[1]

(e)(i)1.	$F_M = 2GMmR / r^3$ $= 2 \times (6.67 \times 10^{-11}) \times (7.35 \times 10^{22}) \times (1.00) \times (6.38 \times 10^6) + (3.84 \times 10^8)^3$ $= 1.10 \times 10^{-6} \text{ N}$	[1] [1]
2.	$F_M / F_S = (M_M / r_{\text{earth orbit}}^3) \div (M_S / r_{\text{moon orbit}}^3)$ $= 7.35 \times 10^{22} \times (1.50 \times 10^{11})^3 + (1.99 \times 10^{30} \times (3.84 \times 10^8)^3)$ $= 2.20$ <p>The effect of the Moon on the tides is more significant/2.2 times more than the effect of the Sun</p>	[1] [1] [1-ecf based on what their ans]
(ii)	Earth, Moon Sun line up/in straight line. (last para lines 2 & 3) (lunar and solar) tides/ tidal forces reinforce each other.	[1] [1]

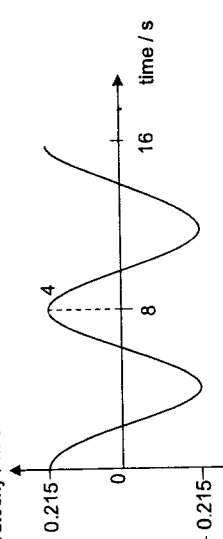
**End of solutions**



JC2 Prelim (H2 Physics) Paper 3 Solution & Post Mortem

1(a)(i)	For a body to be in rotational equilibrium, the sum of all the anticlockwise moments <u>about any point</u> must be equal to the sum of all the clockwise moments about that <u>same point</u> .	[1]
(a)(ii)	{Given: wt of beam = 17.5 N; wt of object = 26.5 N} Taking moments about wooden block '1', $B \times 800 = 26.5 \times 200 + 17.5 \times 400$ $B = 15.4 \text{ N}$	[1]
(a)(iii)	Sum of forces A & B = 44 N  Since the beam is in (translational) equilibrium, the total force acting downward (26.5 + 17.5 N) is equal to the total force acting upward (ie A + B).	[1]
(a)(iv)	Any 2 1. A becomes less and B becomes greater 2. The sum of A and B is constant (= 44 N) 3. Same amount of increase and decrease for A and B. 4. At centre A = B	[2]
(b)	Vertically: $T_1 \sin 50^\circ + T_2 \sin 40^\circ = 392 \text{ N}$ $0.7660T_1 + 0.6428T_2 = 392$ ----- (1)  Horizontally: $T_1 \cos 50^\circ = T_2 \cos 40^\circ$ $0.6428T_1 = 0.7660T_2$ $T_1 = 1.192T_2$ ----- (2)  Sub (2) in (1): $0.7660(1.192T_2) + 0.6428T_2 = 392$ $1.566T_2 = 392$ $T_2 = 251.9 \text{ N} = 252 \text{ N}$  Sub in (2): $T_1 = 1.192(251.9)$ $= 300.3 \text{ N} = 300 \text{ N}$  Alternatively, may use the vector triangle.	[1]

2(a)(i)	Both gases are at the same temperature or No <u>net</u> flow/transfer of heat between the 2 gases	[1]
(ii)	Since $pV = \frac{1}{3} Nm \langle c^2 \rangle$ , $\frac{1}{2} Nm \langle c^2 \rangle = (3/2) pV$ Since $pV = NKT$ , (Ideal gas eqn) $\frac{1}{2} Nm \langle c^2 \rangle = (3/2) NKT$ mean KE of a molecule = $\frac{1}{2} m \langle c^2 \rangle$ (NOT: $\frac{1}{2} mv^2$ ) = $(3/2) KT$	[1]
(iii)	{Given: Before mixing, T of hydrogen = 420 K} mean KE of a molecule = $\frac{1}{2} m \langle c^2 \rangle = (3/2)KT$ = $(3/2)(1.38 \times 10^{-23})(420)$ = $8.69 \times 10^{-21} \text{ J}$	[1]
(b)(i)	Gases at same temp would have same (mean) <u>KE</u> , or same $\frac{1}{2} m \langle c^2 \rangle$ (since $\frac{1}{2} m \langle c^2 \rangle = (3/2)KT$ ). Since the <u>mass of a molecule/molecular mass</u> for the 2 gases is different, the mean square speed must be different (so that $\frac{1}{2} m \langle c^2 \rangle$ of the 2 can be the same.)	[1]
(b)(ii)	<u>Deduce</u> that both the hydrogen and oxygen molecules are at the same temp & hence the 2 gases have the same $\frac{1}{2} m \langle c^2 \rangle$ .  Since a hydrogen molecule has a smaller mass than an oxygen molecule, <u>rms speed of H<sub>2</sub> &gt; rms speed for O<sub>2</sub></u> . (Accept "mean square speed")  Thus, when compared with O <sub>2</sub> , molecules of H <sub>2</sub> have a <u>higher probability/proportion of molecules of exceeding the escape speed of Earth</u> . (Hence more H <sub>2</sub> than O <sub>2</sub> molecules are expected to leave earth's atmosphere.)	[1]

<p><b>3 (a)(i)</b>                  (Given: <math>a = -\frac{16}{m} x</math>)                  Since <math>\frac{16}{m}</math> is a constant,                  acceleration <math>\propto</math> to its displacement from its equilibrium position.                  Furthermore acceleration is always directed towards that position as indicated by the negative sign.                  Thus the block is performing shm as it satisfies the 2 defining conditions of shm.</p>	<p>[1]                  [1]                  [1]</p>
<p><b>(a)(ii)</b>                  1 From graph, deduce period of shm <math>T = 8</math> s (NOT: 4 s)  <math>f = \frac{1}{T} = \frac{1}{8} = 0.125</math> Hz</p>	<p>[1]</p>
<p><b>(a)(ii)</b>                  2 Comparing <math>a = -\omega^2 x</math> with <math>a = -\frac{16}{m} x</math>,  <math>\Rightarrow 4\pi^2 f^2 = \frac{16}{m}</math>  <math>\rightarrow m = 25.9</math> kg</p>	<p>[1]                  [1-ecf]</p>
<p><b>(a)(ii)</b>                  3 Max. p.e. <math>= \frac{1}{2} m\omega^2 x_0^2 = 0.600</math> J (fr graph) (deduce <math>m\omega^2 = 16</math>)  <math>\rightarrow x_0 = 0.274</math> m</p>	<p>[1]                  [1]</p>
<p><b>(a)(ii)</b>                  4 Z lies between 0 and 1 s (at 0.67 s) or between 3 and 4 s (at 3.3 s)</p>	<p>[1]</p>
<p><b>(b)</b>                  velocity / m s<sup>-1</sup>    <math>v_{\max} = \omega x_0 = 2\pi(0.125 \text{ fr (ii)}) \times (0.274 \text{ fr (ii)}) = 0.215 \text{ m s}^{-1}</math></p>	<p>[1, shape: cosine or - cosine graph]                  [1, magnitude of <math>v_{\max}</math> and period, allow ecf]</p>


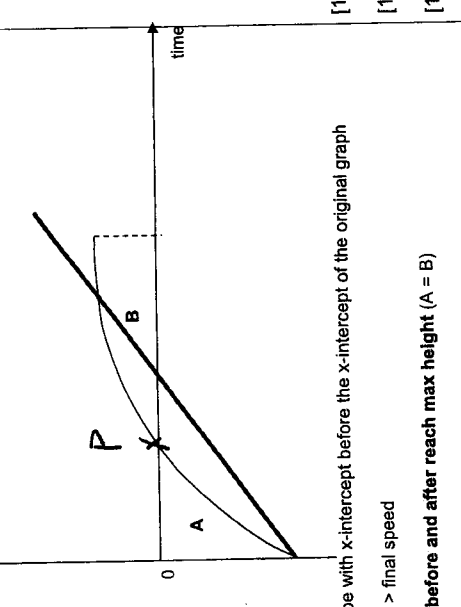
<p><b>4(a)(i)</b>                  From <math>v = f\lambda</math>, <math>\lambda = \frac{330}{5000} = 0.066 \text{ m}</math>                  Phase difference, <math>\phi = \frac{x}{\lambda} \times 2\pi = \frac{0.033}{0.066} \times 2\pi = \pi \text{ rad}</math>  <math>\Rightarrow</math> molecules are in anti-phase.</p>	<p>[1]                  [1]                  [1 ecf]</p>
<p><b>(a)(ii)</b>                  Energy received = Power<sub>received</sub> <math>\times</math> time  <math>= (I_{\text{received}} \times A_{\text{ear}}) t</math>  <math>= (3.0 \times 10^{-2}) \times (5.5 \times 10^{-5}) \times 15</math>  <math>= 2.48 \times 10^{-5} \text{ J}</math></p>	<p>[1]                  [1]</p>
<p><b>(a)(iii)</b> (The plane of) the eardrum is perpendicular to direction of the waves</p>	<p>[1]</p>
<p><b>(b)</b>                  The wave particles oscillate/vibrate (not: move, travel) in one direction in a plane normal to the direction of energy transfer                  The oscillations of an unpolarized wave can be in any direction (ie not restricted to only one direction).</p>	<p>[1]                  [1]</p>

<p><b>5 (a)(i)</b>  <math>P = \frac{V^2}{R}</math> (where <math>P_{\max} = 4.5 \text{ W}</math>, <math>R = 2 \Omega</math>)  <math>4.5 = \frac{V^2}{2.0}</math>  <math>V = 3.0 \text{ V}</math>                  Alternatively,  <math>P = I^2 R</math>  <math>4.5 = I^2 (2.0)</math>  <math>I = 1.5 \text{ A}</math>  <math>V = IR = (1.5)(2.0) = 3.0 \text{ V}</math></p>	<p>[1]                  [1]</p>
<p><b>(a)(ii)</b>                  The supply has internal resistance.                  Hence the answer in (i) + p.d. across the internal resistance = e.m.f</p>	<p>[1]</p>
<p><b>(b)(i)</b>  <math>Q = It</math>  <math>Ne = It</math>  <math>N(1.6 \times 10^{-19}) = (0.48 \text{ A})(150 \text{ s})</math>  <math>N = 4.5 \times 10^{20}</math></p>	<p>[1]</p>
<p><b>(b)(ii)</b> Given <math>18 \Omega</math> and <math>36 \Omega</math> in parallel:  <math>\frac{1}{R_{\text{eq}}} = \frac{1}{18} + \frac{1}{36} = \frac{2}{36} + \frac{1}{36} = \frac{3}{36}</math>  <math>R_{\text{eq}} = 12 \Omega</math>                  Total resistance of circuit = <math>12\Omega + 12\Omega = 24 \Omega</math>  <math>E = IR = (0.48)(24) = 11.52 \text{ V}</math>                  (OR)  <math>V_{12} = 0.48 \times 12 = 5.76 \text{ V}</math>  <math>V_{18} = 0.32 \times 18 = 5.76 \text{ V}</math> (or <math>V_{36} = 0.16 \times 36 = 5.76 \text{ V}</math>)  <math>E = V_{12} + V_{18} = 11.52 \text{ V}</math></p>	<p>[1]                  [1]                  [1]                  [1]                  [1]                  [1]</p>

6(a)	Induced e.m.f. in a coil is proportional to the rate of change of magnetic flux (linkage) of the coil.	[1]
(b)(i)	Flux linkage = NBA (radius of coil = $1.6 \times 10^{-2}$ m) = $85 \times (\pi \times 10^{-3} \times 2.8) \times (\pi \times (1.6 \times 10^{-2})^2)$ = $6.00 \times 10^{-4}$ Wb	[1]
(b)(ii)	Flux linkage change = $(6.00 \times 10^{-4}) - (-6.00 \times 10^{-4})$ Wb = $2 \times 6.00 \times 10^{-4}$ Wb = $12.00 \times 10^{-4}$ Wb Mean emf = $d(\text{flux linkage})/t$ where $t = 0.30$ s = $(12.00 \times 10^{-4} \text{ Wb}) / (0.30 \text{ s}) = 0.004 \text{ V} = 4 \text{ mV}$	[1- emf]
(b)(iii)	0 V from $t = 0$ to $0.3$ s, $t = 0.6$ to $1.0$ s and $t > 1.6$ s (because when current is const & B is constant, thus flux linkage is const; hence induced emf = zero, in accordance to Faraday's Law. This must be drawn CLEARLY in the graph) From $t = 0.3$ to $0.6$ s, the current changes as shown in (b) (ii). Hence induced emf = $4 \text{ mV}$ (Let a positive sign be given to this emf) From $t = 1.0$ to $1.6$ s: the current changes by the same amount as betw $0.3$ to $0.6$ s, but the time taken is doubled. Hence the magnitude of the induced emf is half that in (b)(ii), i.e $2 \text{ mV}$ . Since the change in current is from low to high current- opposite to that betw $0.3$ to $0.6$ s, the induced emf here is opposite in sign to that between $0.3$ to $0.6$ s, i.e $-2 \text{ mV}$ .	[1]
7(a)(i)	The process cannot be controlled (or affected) by external factors – factors outside (external to) the nucleus, like pressure, temperature. (at least one factor cited)	[1]
(a)(ii)	It is impossible to know when the next disintegration/decay will occur. The probability of decay per unit time of a nucleus is constant.	[1]
(b)(i)	[This answer, "cannot predict which particular nucleus will decay next" is not acceptable.] ${}^3_2\text{He} + {}^3_2\text{He} \rightarrow {}^4_2\text{He} + 2 {}^1_1\text{p} + 13.8 \text{ MeV}$	[1]
(b)(ii)1	gamma ray/radiation/photon (Accept: $\gamma$ -ray, Symbol $\gamma$ must be clear. It should not look like 'Y')	[1]
2.	13.8 MeV is the (total) energy released, which = sum of the ke of the products ( ${}^3_2\text{He}$ & the 2 protons) and the energy of the radiation.	[1]

(b)(iii)	{Let $\frac{N}{t}$ be the required minimum number of reactions per second. Since each reaction produces 13.8 MeV, where $1 \text{ MeV} = 10^6 \times 1.6 \times 10^{-19} \text{ J}$ $\frac{N}{t} \times 13.8 \times (10^6 \times 1.6 \times 10^{-19} \text{ J}) = 60 \text{ W}$ $\rightarrow \frac{N}{t} = 2.72 \times 10^{13} \text{ s}^{-1}$	[1]
(c)	Energy released = Tot Binding energy of Products – Tot BE of reactants = $(4 \times 7.20) + 0$ (for ${}^4_2\text{He}$ ) – $(2 \times 1.11) - (3 \times 2.66)$ = $18.6 \text{ MeV}$	[2] [1]
<b>Section B</b>		
8(a)(i)	$800 \sin 50^\circ = 613 \text{ m s}^{-1} = 6.13 \times 10^2 \text{ m s}^{-1}$	[1]
(a)(ii)	$s_y = u_y t + \frac{1}{2} a t^2$ $0 = 800 \sin 50^\circ (t) + \frac{1}{2} (-9.81) (t^2)$ $t = 125 \text{ s}$ (total time of flight) Range = $s_x = u_x t = (800 \cos 50^\circ) \times (125) = (514 \text{ m s}^{-1}) \times (125 \text{ s})$ = $64.2 \times 10^3 \text{ m} = 64.2 \text{ km}$ [eaf allowed]	[1] [1] [1]
(a)(iii)	Time of flight is shorter & so the enemy tank has less time to react. {Range = $u \cos \theta \times$ Time of flight}; NOT because the initial vert velocity is smaller}	[1]
(b)(i)	To find horiz displacement when accelerating at $1 \text{ m s}^{-2}$ to its max speed of $60 \text{ km km h}^{-1}$ (ie to $16.7 \text{ m s}^{-1}$ ): $v^2 = u^2 + 2as$ $(60000 / 3600)^2 = 0 + 2(1)(s)$ $s_x = 138.89 \text{ m}$ To find time required to reach max speed from rest at max acc of $1 \text{ m s}^{-2}$ : $s = ut_1 + \frac{1}{2} at_1^2$ $138.89 = 0 + \frac{1}{2} (1)(t_1)^2$ $t_1 = 16.67 \text{ s}$ To find time taken to travel remaining distance at max speed: (initial dist apart = 3000 m) $S_x = ut_2$ $3000 - 138.89 = (60000 / 3600)(t_2)$ $t_2 = 171.67 \text{ s}$ Thus minimum time required = $t_1 + t_2$ = $171.67 + 16.67 = 188.3 \text{ s}$	[1] [1] [1]

<p><b>Alternatively,</b> To find time required to reach maximum speed, <math>v = u + at_1</math> <math>60000 / 3600 = 0 + (1)(t_1)</math> <math>t_1 = 16.67</math> s</p> <p>To find the distance travelled while accelerating to max speed, <math>s = ut + \frac{1}{2} at^2</math> <math>= 0 + \frac{1}{2} (1)(16.67)^2</math> <math>= 138.89</math> m</p> <p>To find the time taken to travel remaining distance at top speed: (Initial separation = 3 km) <math>s = ut_2</math> <math>3000 - 138.89 = (60000 / 3600)(t_2)</math> <math>t_2 = 171.67</math> s</p> <p>Minimum time required = <math>t_1 + t_2 = 171.67 + 16.67 = 188.3</math> s</p>	<p>(b)(ii) [1]</p>
<p>(c)(i) [2]</p> 	<p>(c)(ii) [1-ecf]</p>
<p>(c)(iii) [1]</p>  <p>Correct shape with x-intercept before the x-intercept of the original graph</p> <p>Initial speed &gt; final speed</p> <p>Equal area before and after reach max height (A = B)</p>	<p>(c)(iii) [1] [1] [1] [1]</p>

<p>(d)(i) [1]</p>	<p>For a system of interacting bodies, the total momentum of the bodies (i.e. momentum of the system) remains constant, provided no net force acts on the system.</p>
<p>(d)(ii) [1]</p>	<p>It cannot be applied as there is an (horizontal) external force acting on the system. The external force can be: the ground exerting a contact force/friction on the howitzer, or weight of projectile, or air resistance on projectile.</p>
<p>9(a)(i) [1]</p>	<p>Electric field strength is the force per unit positive charge.</p>
<p>(ii)1. [1]</p>	<p>A (since the positive charge accelerates from A towards B)</p>
<p>2. [1]</p>	<p>{ Given: initial speed = 0; KE at plate B = <math>2.4 \times 10^{-16}</math> J } Work done by field = KE gain by charge = <math>2.4 \times 10^{-16}</math> J.</p>
<p>3. [1-ecf]</p>	<p><math>W = Fs</math> { since <math>F = \text{const}</math> } <math>F = W/s</math> { distance betw plates, <math>s = 15</math> mm = 0.015 m } <math>F = 2.4 \times 10^{-16} / 15 \times 10^{-3} = 1.6 \times 10^{-14}</math> N or alternative method: <math>KE = \frac{1}{2}mv^2</math> <math>v^2 = u^2 + 2as</math> <math>F = ma</math></p>
<p>4. [1-ecf]</p>	<p><math>V = Ed = Fd / Q</math> or <math>V = W / Q</math> or <math>E = V / d</math> and <math>E = F / Q</math> <math>PdV = (1.6 \times 10^{-14} \times 15 \times 10^{-3}) / 1.6 \times 10^{-19}</math> or <math>2.4 \times 10^{-16} / 1.6 \times 10^{-19}</math> <math>= 1500</math> V</p>
<p>(iii) [1]</p>	<p>straight line with positive gradient starting at origin and ending at <math>x = 15</math> mm.</p>
<p>(iv) [1]</p>	<p>It will decelerate/slow down and stop before reaching B and accelerate/move to A after a momentary stop</p>
<p>(b)(i) [1]</p>	<p>Charge must be moving (ie not stationary), with a velocity that is <u>not parallel</u> to the magnetic field.</p>
<p>(ii) [1]</p>	<p>The speed is decreasing (due to collision with the particles of the medium). This causes the radius to decrease.</p>
<p>(iii)1. [1]</p>	<p>Since the spirals are in opposite directions, the charges must be oppositely charged.</p>

2.	Equal <u>initial</u> radius, so equal Initial speeds.	[1]
		[1]

End of solutions



Mark Scheme of Q1 of Prelim Pract 2022 (Centre of gravity of card: 2021 Q1)

Marking Point	Mark	Score
<input type="checkbox"/> Recorded at least 2 values and average of b & c to nearest mm <input type="checkbox"/> Accuracy: 11.5 cm ≤ b < 12.5 cm ; 15.5 cm ≤ c < 16.5 cm	1	
<input type="checkbox"/> Recorded at least 2 values and average of y to nearest mm <input type="checkbox"/> Accuracy: 4.6 cm ≤ y < 5.0 cm	1	
<input type="checkbox"/> Recorded at least 2 values and average of c to nearest mm <input type="checkbox"/> Accuracy: 9.5 cm ≤ c < 10.5 cm	1	
(c) (i) <ul style="list-style-type: none"> <li><input type="checkbox"/> Recorded at least 2 values and average of y to nearest mm</li> <li><input type="checkbox"/> 5.0 cm ≤ y &lt; 5.5 cm</li> </ul>	1	
(d)(i) <ul style="list-style-type: none"> <li>Calculated Quantities:                             <ul style="list-style-type: none"> <li><input type="checkbox"/> Accuracy of Calculation</li> <li>5.2 cm ≤ y &lt; 6.0 cm {value of b = 12.0 cm, c = 4.0 cm}</li> </ul> </li> <li>Number of sf in y: 2 or 3 sf { must be same or one more than the least sf among b and c }</li> </ul>	1	
(d)(ii) <ul style="list-style-type: none"> <li>Linearisation of equation                             <ul style="list-style-type: none"> <li><input type="checkbox"/> Plot y (b + c/2) vs c, (A) or, y vs <math>\frac{b^2 + bc}{b + \frac{c}{2}}</math>, (B)</li> <li>or, y vs (4b+c)/(2b+c), (C) etc</li> </ul> </li> <li>Thus, in (A), Y = y(b + c/2) &amp; X = c;                              in (B), Y = y &amp; X = <math>\frac{b^2 + bc}{b + \frac{c}{2}}</math>; while in (C), Y = y &amp; X = (4b+c)/(2b+c)</li> </ul>	1	
(d)(iii) <ul style="list-style-type: none"> <li>Determination of Gradient and y-intercept (No ECF)                             <ul style="list-style-type: none"> <li><input type="checkbox"/> State: gradient = b/8 &amp; y-intercept = b<sup>2</sup>/2, for (A)</li> <li>or, gradient = 1 &amp; y-intercept = 0 for (B)</li> <li>or, gradient = b/4 &amp; y-intercept = 0 for (C)</li> </ul> </li> <li>{ Units for gradient &amp; Intercept: not assessed }</li> </ul>	1 (grad) 1 (intercept)	

(iv)	Why y = 6 cm when c = 0 (without calculation):		
	<input type="checkbox"/> State: shape of cardboard becomes a square. <input type="checkbox"/> State: centre of gravity of a square is at its geometrical centre (hence y = b/2 = 6 cm)	1	
	Total	11	

Mark Scheme of Q2 of Prelim Pract 2022 ( Changing Resistances in a circuit: 2021 Q2 )

Marking Point	Mark	Score
<input type="checkbox"/> Recorded value of R <sub>x</sub> as provided, ie 10 Ω	nil	
<input type="checkbox"/> Recorded value of I <sub>1</sub> to one dp in mA (or 4 dp in A).	nil	
<input type="checkbox"/> Recorded value of I <sub>2</sub> to one dp in mA (or 4 dp in A) in (a) and in (b)	1	
(b) <ul style="list-style-type: none"> <li>Minimum Sets of Raw Data Tabulated                             <ul style="list-style-type: none"> <li><input type="checkbox"/> Collected 6 sets of raw data (ie of R<sub>x</sub>, I<sub>1</sub> &amp; I<sub>2</sub>) without help.</li> <li>Deduct 1 m if student requires assistance.</li> </ul> </li> <li>Column Headings &amp; Tabulation &amp; Correct Precision for R<sub>x</sub> &amp; I<sub>1</sub> &amp; I<sub>2</sub> <ul style="list-style-type: none"> <li><input type="checkbox"/> Each column heading ( of R<sub>x</sub>, I<sub>1</sub>, I<sub>2</sub> and I<sub>1</sub>/I<sub>2</sub>) contains a quantity and a unit. I<sub>1</sub>/I<sub>2</sub> has no unit. ECF for wrong unit of I<sub>2</sub>.</li> <li><input type="checkbox"/> First set of readings taken in (a) is recorded in this table.</li> <li><input type="checkbox"/> R<sub>x</sub> recorded as labelled ie to nearest ohm &amp; I<sub>1</sub> &amp; I<sub>2</sub> to 1 dp in mA</li> </ul> </li> <li>Calculated Quantities:                             <ul style="list-style-type: none"> <li><input type="checkbox"/> Precision &amp; Consistency of Recording</li> <li>All values of I<sub>1</sub>/I<sub>2</sub> recorded to same no. of s.f. or one more, consistently as their corresponding raw data ( I<sub>1</sub> &amp; I<sub>2</sub>). Thus I<sub>1</sub>/I<sub>2</sub> are recorded to 3 sf for all values, or to 4 sf for all values.</li> </ul> </li> <li>Accuracy of Calculation                             <ul style="list-style-type: none"> <li>All values of I<sub>1</sub>/I<sub>2</sub> correctly calculated.</li> </ul> </li> <li>Penalty for a Constant value for either I<sub>1</sub> &amp; I<sub>2</sub>: deduct 3 marks: 2 m from (b) Minimum Sets &amp; Accuracy of Calculation, &amp; 1 m from (c) Correct Trend</li> </ul>	1	

(c)	<p><u>Graph: Scale, Size &amp; Axes</u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> Sensible scales, no awkward scales (eg 3 units into 10 small squares)</li> <li><input type="checkbox"/> Plots occupy at least 1/2 of graph grid in both x &amp; y directions</li> <li><input type="checkbox"/> Successive scale markings: no more than 20 small squares apart.</li> <li><input type="checkbox"/> Axes labelled with the quantity &amp; unit</li> </ul>	1	
(c)	<p><u>Plotting of Points</u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> ALL observations in table must be plotted</li> <li><input type="checkbox"/> Precise to within half a small square.</li> <li><input type="checkbox"/> Thickness of plots (ie the crosses) <math>\leq</math> 1/2 small square</li> </ul>	1	
(c)	<p><u>Best fit line &amp; Anomaly</u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> Line drawn with approx. equal number of points on either side of line (anomalous pts not considered).</li> <li><input type="checkbox"/> <math>\geq</math> 5 non-anomalous pts, (ie allow 1 anomalous plot only if 6 are plotted; anomaly must be clearly indicated (eg by a circle or labelled.)</li> <li><input type="checkbox"/> Line is not kinked/ disjointed or thicker than 1/2 small square</li> <li><input type="checkbox"/> Correct Trend: straight line with positive gradient</li> </ul>	1	
(c)	<p><u>Linearisation of Eqn</u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> Stated explicitly: <math>\frac{1}{2R_x} = \text{gradient of graph (of } I_{1/2} \text{ vs } R_Y)</math></li> </ul>	1	
(c)	<p><u>Determination of Gradient and <math>R_x</math></u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> Hypotenuse of triangle <math>&gt;</math> 1/2 length of line drawn</li> <li><input type="checkbox"/> No obscurity of the 2 pts used for gradient calculation (Hence for eg, these 2 pt on triangle must not be "highlighted")</li> <li><input type="checkbox"/> 1. Recorded the 4 coordinates accurately to precision of 3 s.f.</li> <li>2. Recorded the 4 coordinates to precision of 1/2 small square (ie the no. of dp for y-coordinates must follow no. of dp for 1/2 small sq for the y-scale &amp; the no. of dp for x-coordinates must follow the no. of dp for 1/2 small sq for the x-scale ),</li> <li>3. Recorded x-coordinates to 2 sf (since <math>R_Y</math> is given to 2 sf), or, <math>2 + 1 = 3</math> sf; y-coordinates recorded to 3 sf (since <math>I_1</math> &amp; <math>I_2</math> are measured to 3 sf), or, <math>3 + 1 = 4</math> sf )</li> <li><input type="checkbox"/> <math>R_x</math> determined correctly from graph ( = <math>\frac{1}{2x \text{ Gradient}}</math> ) &amp; recorded to 2 sf (since <math>R_Y</math> has 2 sf), 3 s.f. or 4 s.f.</li> <li><input type="checkbox"/> Unit for <math>R_x</math>: <math>\Omega</math></li> </ul>	1	
(d)	<ul style="list-style-type: none"> <li><input type="checkbox"/> When <math>R_Y = R_x</math>, <math>I_{1/2} = 1</math>.</li> <li><input type="checkbox"/> Value of <math>R_x</math> is that value of <math>R_Y</math> where <math>I_{1/2} = 1</math> (which is read-off the graph.)</li> </ul>	1	

(e)	<p><u>Analysis</u></p> <ul style="list-style-type: none"> <li><input type="checkbox"/> line W: below original graph (ie no intersection) with a gentler gradient.</li> </ul> <p>{Explanation: gradient = <math>\frac{1}{2R_x}</math>, so when <math>R_x</math> increases, gradient decreases. Y-intercept is unchanged ( at 1/2 ) }</p>	Total	11
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**Mark Scheme of Q3 of Prelim Pract 2022**  
**(Time interval betw successive in-phase positions of 2 pendulms)**

	Marking Point	Mark	Score
(b)(i)	<p>Measurement and Observation (l about 0.5 m)</p> <p><input type="checkbox"/> Recorded <math>\geq 2</math> values of l and average to nearest mm, 0.1 cm or 0.001 m.</p> <p><input type="checkbox"/> Accuracy: 0.450 m <math>\leq l \leq 0.550</math> m</p>	1	
(b)(ii)	<p><input type="checkbox"/> (Challenging condition) hence, <math>\Delta l = 3 - 5</math> mm</p> <p><input type="checkbox"/> Calculated percentage uncertainty, <math>\frac{\Delta l}{l} \times 100\% = (\text{value} \approx 0.6)</math> (1 or 2 sf)</p> <p>{Considered 'challenging' because it's a measurement to an inaccessible pt (centre of bob)}</p>	1	
(c)(i)	<p>Measurement and Observation</p> <p><input type="checkbox"/> Accuracy: <math>10 \text{ s} \leq t \leq 17 \text{ s}</math></p> <p><input type="checkbox"/> Recorded <math>\geq 2</math> values of t, and ave to nearest 0.1 s if <math>\Delta t \leq 2.0 \text{ s}</math></p> <p>{if <math>\Delta t &gt; 2.0 \text{ s}</math>, t shd be recorded to the nearest 1 s }</p>	1	
(c)(ii)	<p><input type="checkbox"/> <math>\Delta t = 0.3</math> to <math>0.5 \text{ s}</math> if <math>\Delta t \leq 2.0 \text{ s}</math> (Challenging condition)</p> <p><math>= \frac{1}{2}</math> the Range, if <math>\Delta t &gt; 2.0 \text{ s}</math> (Very Challenging condition)</p> <p><input type="checkbox"/> Calculated percentage uncertainty, <math>\frac{\Delta t}{t} \times 100\% = \dots\dots\dots</math> (1 or 2 sf)</p>	1	
(d)	<p><input type="checkbox"/> Recorded <math>\geq 2</math> values of l and average to nearest mm, 0.1 cm or 0.001 m.</p> <p>{ l about 0.4 m}</p> <p><input type="checkbox"/> Recorded <math>\geq 2</math> values of t to nearest 0.1 s if <math>\Delta t \leq 2.0 \text{ s}</math></p> <p>{if <math>\Delta t &gt; 2.0 \text{ s}</math>, t shd be recorded to the nearest second}</p>	1	
(e)(i)	<p><input type="checkbox"/> Value of t should be smaller than that in (c)(i).</p> <p>{Accuracy: not assessed, FYI: <math>5.5 \text{ s} \leq t \leq 6.5 \text{ s}</math>}</p>	1	
(e)(ii)	<p><input type="checkbox"/> Calculated correctly two values of k with unit and recorded to the least no. of sf among t and l (or 1 more).</p> <p>Unit: <math>\text{m}^{0.5} \text{ s}^{-1}</math></p>	1	
(e)(iii)	<p>E.g. "Since the (measured) quantity with the least number of sf, which is (either t or l), (has x significant figures), I recorded k also to x significant figures {or x+1 more}."</p>	1	
(e)(iii)	<p>of Relationship</p> <p><input type="checkbox"/> Calculated <math>\frac{ k_1 - k_2 }{k_{ave}} \times 100\%</math> correctly</p>	1	

(e)(iv)	<p><input type="checkbox"/> Compared <math>\frac{ k_1 - k_2 }{k_{ave}} \times 100\%</math> with the <u>sum</u> of half the value of (b)(ii) and that of (c)(ii) &amp; concluded that results do not support the suggestion if <math>\frac{ k_1 - k_2 }{k_{ave}} &gt; \frac{1}{2} \left( \frac{\Delta l}{l} \right) + \frac{\Delta t}{t}</math> or, results support the suggestion if <math>\frac{ k_1 - k_2 }{k_{ave}} \leq \frac{1}{2} \left( \frac{\Delta l}{l} \right) + \frac{\Delta t}{t}</math></p>	1	
(f)	<p><input type="checkbox"/> Number of times calculated correctly: = <math>\frac{50}{t}</math> where <math>t = \frac{\sqrt{l}}{k}</math>, <math>l = 0.1 \text{ m}</math> &amp; value of k to be used = <u>average</u> of <math>k_1</math> &amp; <math>k_2</math>.</p> <p><input type="checkbox"/> It is difficult to judge when pendulms are exactly lined up (as this occurs only at an instant in time &amp; there is parallax error), or, it is difficult to measure the length l since the <u>cg</u> of the bob is inaccessible, or, 2 values of k are <u>not enough</u> to draw a valid conclusion on whether k is a const.</p>	1	
(g)(i)	<p>Plotting of Points</p> <p><input type="checkbox"/> ALL 5 observations in table must be plotted</p> <p><input type="checkbox"/> Precise to within half a small square.</p> <p><input type="checkbox"/> Thickness of plots (ie the crosses) <math>\leq \frac{1}{2}</math> small square</p> <p>Best fit line &amp; Anomaly</p> <p><input type="checkbox"/> Line drawn with approx. equal number of points on either side of line (anomalous pts not considered).</p> <p><input type="checkbox"/> Line is not kinked/ disjointed or thicker than <math>\frac{1}{2}</math> small square</p>	1	
(g)(ii)	<p><input type="checkbox"/> Stating either the y-intercept, or, the x-intercept is not zero</p> <p><input type="checkbox"/> Correct explanation for deduction above: Eg. Value of the x-intercept (<math>1.24 \text{ m}^{1/2}</math>) is significantly far from <math>x = 0</math> (read from graph or by calculation). (FYI: gradient <math>\approx 0.5 \text{ m}^{0.5} \text{ s}^{-1}</math> &amp; y-intercept <math>\approx -0.62 \text{ s}^{-1}</math>)</p> <p><input type="checkbox"/> <u>Correct conclusion based on correct deduction that y-intercept is not zero:</u> Since graph does not pass through the origin, <math>\frac{1}{t}</math> is not directly proportional to <math>\frac{1}{\sqrt{l}}</math>.</p>	1	

(h)	<p><u>Appropriate measuring instruments used:</u></p> <ul style="list-style-type: none"> <li>Measure length of pendulum using a <b>metre rule</b>, &amp; measure oscillation time using a <b>stopwatch</b>.</li> </ul> <p><u>Procedure</u></p> <ul style="list-style-type: none"> <li>Measure time for <b>N oscillations</b> using a stopwatch and calculate period <b>T</b>. Formula for T must be cited.</li> <li>Repeat the experiment for different values of L.</li> </ul> <p><u>Analysis</u></p> <ul style="list-style-type: none"> <li>Either,             <ul style="list-style-type: none"> <li>Plot graph of T against <math>\sqrt{L}</math>: <math>\Rightarrow P = \text{gradient}</math>, or</li> <li>Plot lg T against lg L: <math>\Rightarrow \lg P = y\text{-intercept}</math>.</li> </ul> </li> <li><math>\Rightarrow P = 10^{y\text{-intercept}}</math></li> </ul>	1
	Total	20

**Q4 Mark Scheme and Examiner's Comments**

<p><u>Independent &amp; Dependent Variables</u></p> <p>Independent variables: Temperature T of wire (Expt 1), load m supported by wire (Expt 2)</p> <p>Dependent variable: Change in length <math>\Delta L</math> of wire (both Expts 1 &amp; 2)</p> <p><u>Control of Variables</u> (both expts): { Any 1 }</p> <ol style="list-style-type: none"> <li>Initial length of the wire is <b>kept constant</b>.</li> <li>Diameter/cross-sectional area (not: thickness) of wire is <b>kept constant</b>.</li> <li>Duration/time of heating of wire is <b>kept constant</b>.</li> </ol>	1
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<p>Labelled diagram of workable experiment showing:</p> <p>wire subjected to a load (masses) along its length, in a long box; electrical heater (in the box) with power supply. No need to show thermometer.</p> <ul style="list-style-type: none"> <li>Use of a thermostat to set temperature. (Must be explicitly stated).</li> <li>Measure mass m using mass <b>balance</b> &amp; measure temperature T using <b>thermocouple (or thermometer)</b>.</li> <li>(If slotted masses are used, no measuring instrument for mass is required.)</li> <li>Measure extension of wire using a <b>travelling microscope</b>.</li> <li>Expt 1:</li> </ul> <p>Keeping mass m constant, vary temperature T by <b>changing thermostat setting or the power/voltage supplied to heater</b>.</p> <p>Expt 2:</p> <p>Keeping temperature T constant, vary mass m by <b>changing the number of slotted masses</b>.</p> <p><u>Analysis</u> { <math>\Delta L = k T^p m^q \Rightarrow \lg \Delta L = p \lg T + q \lg m + \lg k</math> }</p> <p>For constant m (Expt 1), plot graph of lg <math>\Delta L</math> against lg T, <math>\Rightarrow p = \text{gradient}</math></p> <p>For const T (Expt 2), plot graph of lg <math>\Delta L</math> against lg m, <math>\Rightarrow q = \text{gradient}</math></p> <p><u>Precautions to improve Safety</u> (Any one)</p> <p>Use goggles to protect the eyes (in case wire snaps).</p> <p>Use tongs or heatproof gloves to handle the hot wires (e.g. when there is a need to keep the wire from moving while measuring extension).</p> <p>Set up apparatus (vertically) above a bucket of sand (to reduce impact on the ground in case wire snaps).</p> <p><u>Precautions to improve Accuracy/Additional Details/Good Design Features</u> (Any two)</p> <p>Perform a preliminary experiment to gauge the range of loads that can be used to produce a measurable change in length without causing wire to snap.</p> <p>Use a kink-free wire OR a fresh wire after each reading.</p>	1
	1
	1
	1
	1
	1
	Max 1
	Max 2

Use a long wire to obtain measurable extensions. Perform the experiment over a sufficiently long period of time to obtain measurable extensions. Check periodically to ensure that the point of suspension of wire at the ceiling does not sag (due to excessive weight of the suspended masses). If thermostat is not used, wrap the box with lagging material (to minimize heat loss)		
Total	13	

Diagram: Suggested setup. (N2000 P4 Q3)

