

Name: _____

Class: _____

P JURONG PIONEER JUNIOR COLLEGE
JC2 Preliminary Examination 2024

PHYSICS
Higher 2

9749/03**11 September 2024**

Paper 3 Longer Structured Questions

2 hours

Candidates answer on the Question Paper.
 No Additional Materials are required.

READ THESE INSTRUCTIONS FIRST

Write your name, class and index number in the spaces at the top of this page.
 Write in dark blue or black pen on both sides of the page.
 You may use an HB pencil for any diagrams or graphs.
 Do not use staples, paper clips, glue or correction fluid.

The use of an approved scientific calculator is expected, where appropriate.

Section A

Answer **all** questions.

Section B

Answer any **one** question only.

You are advised to spend about one and half hours on
 Section A and half an hour on Section B.

The number of marks is given in brackets [] at the end of
 each question or part question.

For Examiner's Use	
1	/ 6
2	/ 8
3	/ 9
4	/ 11
5	/ 8
6	/ 11
7	/ 7
8	/ 20
9	/ 20
Total	/ 80

This document consists of **25** printed pages and **3** blank pages.

[Turn over

Data

speed of light in free space	$c = 3.00 \times 10^8 \text{ ms}^{-1}$
permeability of free space	$\mu_0 = 4\pi \times 10^{-7} \text{ Hm}^{-1}$
permittivity of free space	$\epsilon_0 = 8.85 \times 10^{-12} \text{ Fm}^{-1}$ $= (1/(36\pi)) \times 10^{-9} \text{ Fm}^{-1}$
elementary charge	$e = 1.60 \times 10^{-19} \text{ C}$
the Planck constant	$h = 6.63 \times 10^{-34} \text{ Js}$
unified atomic mass constant	$u = 1.66 \times 10^{-27} \text{ kg}$
rest mass of electron	$m_e = 9.11 \times 10^{-31} \text{ kg}$
rest mass of proton	$m_p = 1.67 \times 10^{-27} \text{ kg}$
molar gas constant	$R = 8.31 \text{ JK}^{-1} \text{ mol}^{-1}$
the Avogadro constant	$N_A = 6.02 \times 10^{23} \text{ mol}^{-1}$
the Boltzmann constant	$k = 1.38 \times 10^{-23} \text{ JK}^{-1}$
gravitational constant	$G = 6.67 \times 10^{-11} \text{ Nm}^2\text{kg}^{-2}$
acceleration of free fall	$g = 9.81 \text{ ms}^{-2}$

Formulae

uniformly accelerated motion

$$s = ut + \frac{1}{2}at^2$$

$$v^2 = u^2 + 2as$$

work done on/by a gas

$$W = p\Delta V$$

hydrostatic pressure

$$p = \rho gh$$

gravitational potential

$$\phi = -\frac{GM}{r}$$

temperature

$$T / \text{K} = T / ^\circ\text{C} + 273.15$$

pressure of an ideal gas

$$p = \frac{1}{3} \frac{Nm}{V} \langle c^2 \rangle$$

mean translational kinetic energy of an ideal gas molecule

$$E = \frac{3}{2} kT$$

displacement of particle in s.h.m.

$$x = x_0 \sin \omega t$$

velocity of particle in s.h.m.

$$v = v_0 \cos \omega t$$

$$= \pm \omega \sqrt{x_0^2 - x^2}$$

electric current

$$I = Anvq$$

resistors in series

$$R = R_1 + R_2 + \dots$$

resistors in parallel

$$1/R = 1/R_1 + 1/R_2 + \dots$$

electric potential

$$V = \frac{Q}{4\pi\epsilon_0 r}$$

alternating current/voltage

$$x = x_0 \sin \omega t$$

magnetic flux density due to a long straight wire

$$B = \frac{\mu_0 I}{2\pi d}$$

magnetic flux density due to a flat circular coil

$$B = \frac{\mu_0 NI}{2r}$$

magnetic flux density due to a long solenoid

$$B = \mu_0 nI$$

radioactive decay

$$x = x_0 \exp(-\lambda t)$$

decay constant

$$\lambda = \frac{\ln 2}{t_{\frac{1}{2}}}$$

Section A

Answer **all** the questions in the spaces provided.

- 1 A small parcel is released from a helicopter which is ascending steadily at 2.5 m s^{-1} .

(a) Neglecting air resistance, determine the speed of the parcel after 2.0 s.

speed = m s^{-1} [2]

- (b) Sketch, on the same axes in Fig. 1.1, two graphs to show the variation with time of the velocities of the helicopter (label H) and the parcel (label P) during the first 2.0 s. [2]

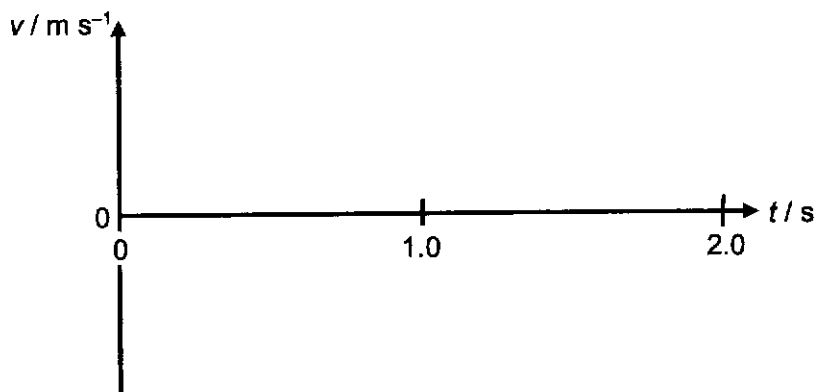


Fig. 1.1

- (c) Using the sketched graphs, or otherwise, determine the distance between the helicopter and the parcel after 2.0 s.

distance = m [2]

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- 2 (a) Explain why the gravitational field strength near the surface of a planet is approximately constant for small changes in height.

.....

 [1]

- (b) An isolated planet of uniform density has mass M and radius R .

Point P lies on a straight line passing through the centre of the planet, at a displacement x from the centre, as shown in Fig. 2.1.

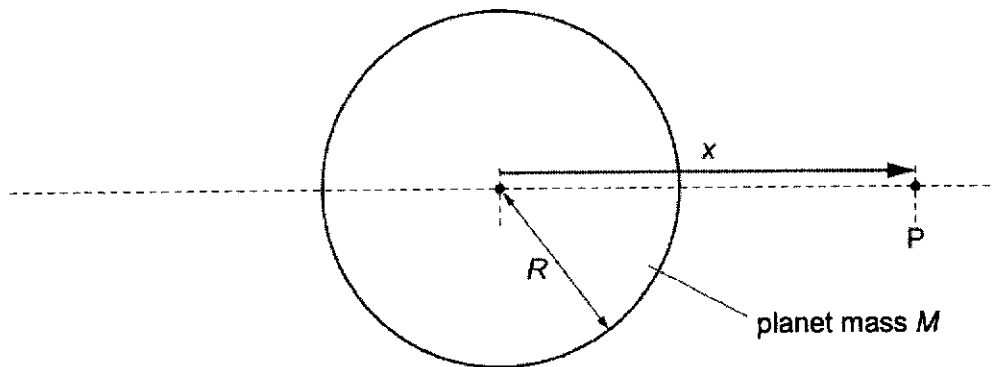


Fig. 2.1

Fig. 2.2 shows the variation with x of the gravitational field strength g at point P due to the planet for the values of x for which P is inside the planet.

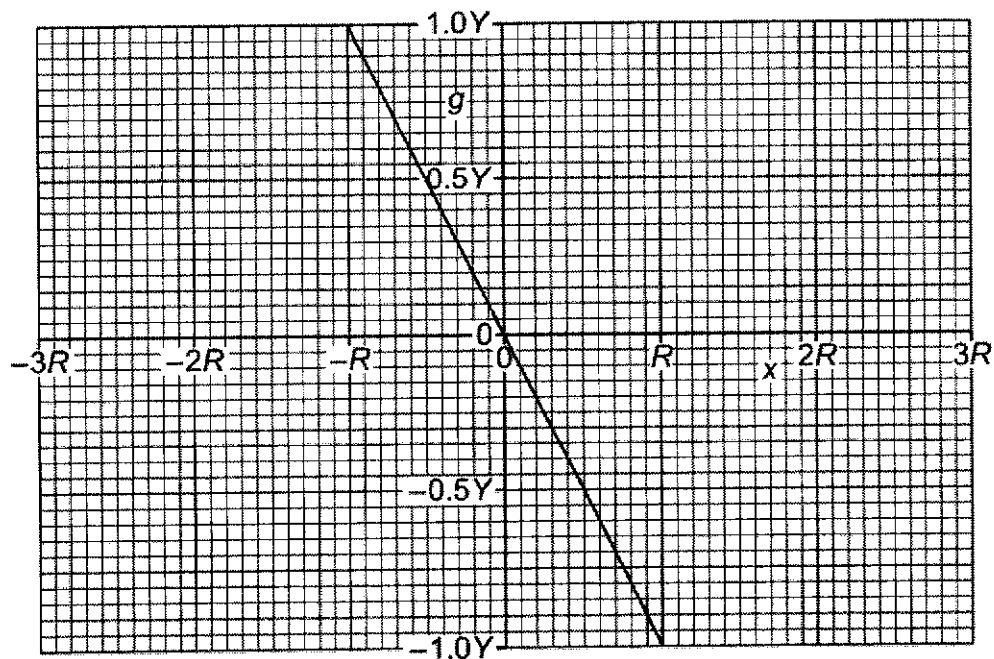


Fig. 2.2

The magnitude of the gravitational field strength at the surface of the planet is Y .

- (i) State an expression for Y in terms of M and R . Identify any other symbols that you use.

[1]

- (ii) Complete Fig. 2.2 to show the variation of g with x for values of x , up to $\pm 3R$, for which point P is outside the planet. [3]

- (iii) A rock is projected vertically upwards from the surface of the planet with a speed of $4.7 \times 10^3 \text{ m s}^{-1}$. The mass M of the planet is $6.4 \times 10^{23} \text{ kg}$ and the radius R of the planet is $3.4 \times 10^6 \text{ m}$.

Calculate the distance travelled by the rock for it to lose half of its kinetic energy.

distance = m [3]

- 3 Two charged metal spheres A and B are situated in a vacuum. The distance between the centres of the spheres is 12.0 cm, as shown in Fig. 3.1.

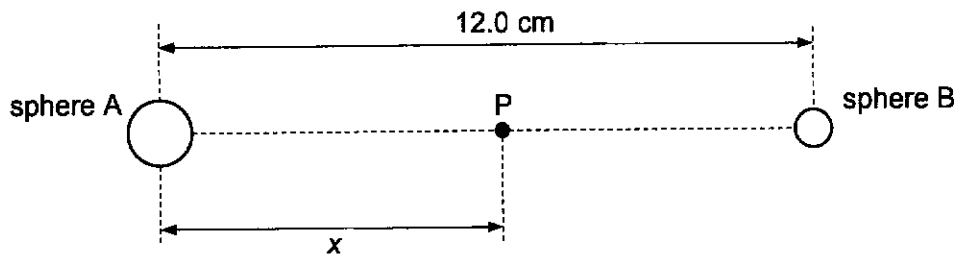


Fig. 3.1

The charge on each sphere may be assumed to be a point charge at the centre of the sphere. Point P is a variable point that lies on the line joining the centres of the spheres and is distance x from the centre of sphere A.

The variation with distance x of the electric field strength E at point P is shown in Fig. 3.2.

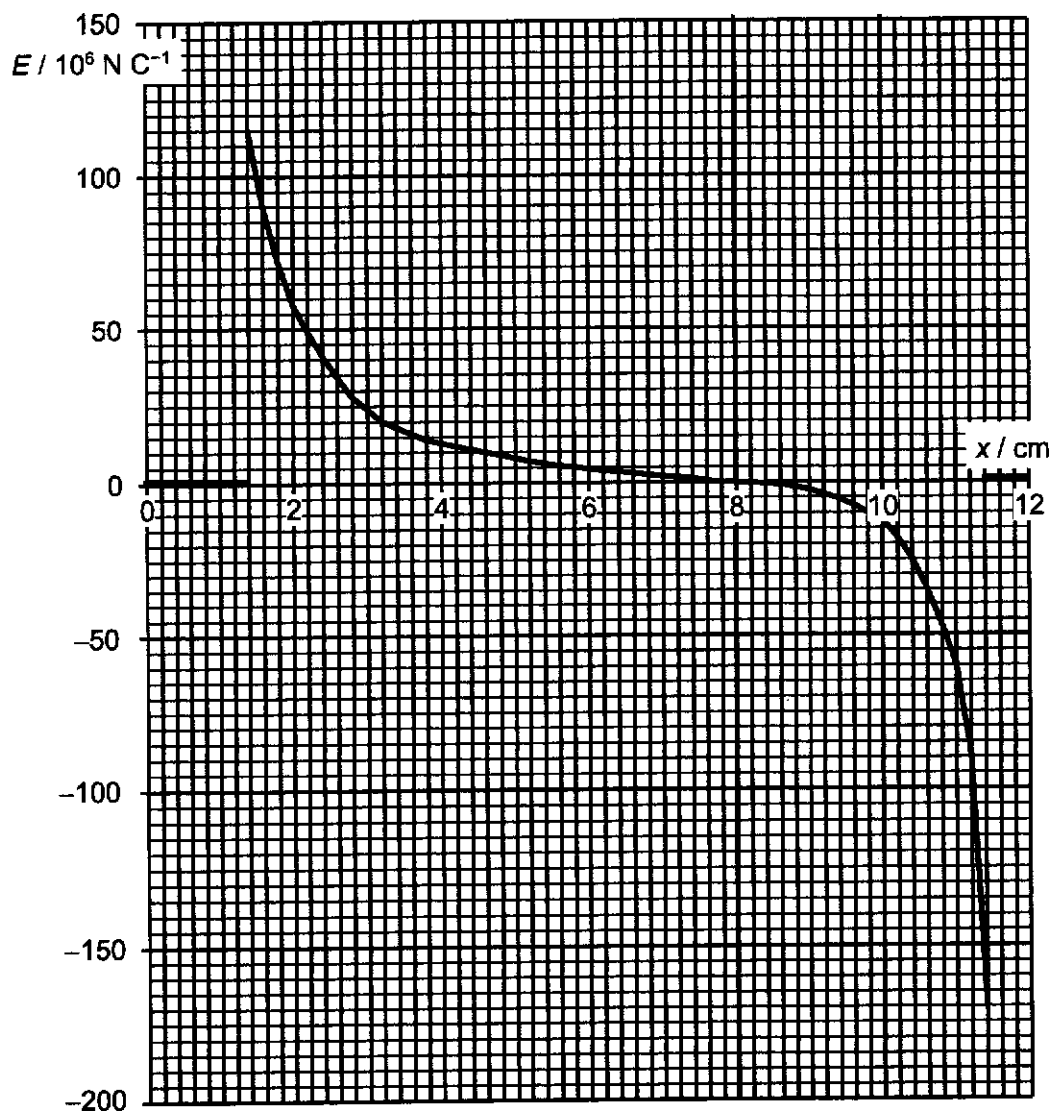


Fig. 3.2

(a) State the evidence provided by Fig. 3.2 that the spheres are conductors.

.....
..... [1]

(b) The sphere A is positively charged.

(i) State and explain the polarity of sphere B.

.....
.....
.....
..... [2]

(ii) Use Fig. 3.2 to determine the ratio $\frac{\text{charge on sphere A}}{\text{charge on sphere B}}$

ratio = [2]

(c) (i) State, in words, the relation between electric field strength and electric potential.

..... [1]

(ii) A point charge of $-2.0 \mu\text{C}$ is moved by an external force from $x = 2.0 \text{ cm}$ to $x = 8.0 \text{ cm}$, along the line joining the centres of the spheres.

Use Fig. 3.2 to estimate the work done by the external force.

work done = J [3]

- 4 (a) State what is meant by *magnetic flux linkage*.

.....

.....

..... [2]

- (b) Two coils, P and Q are wound onto an iron core, as shown in Fig. 4.1.

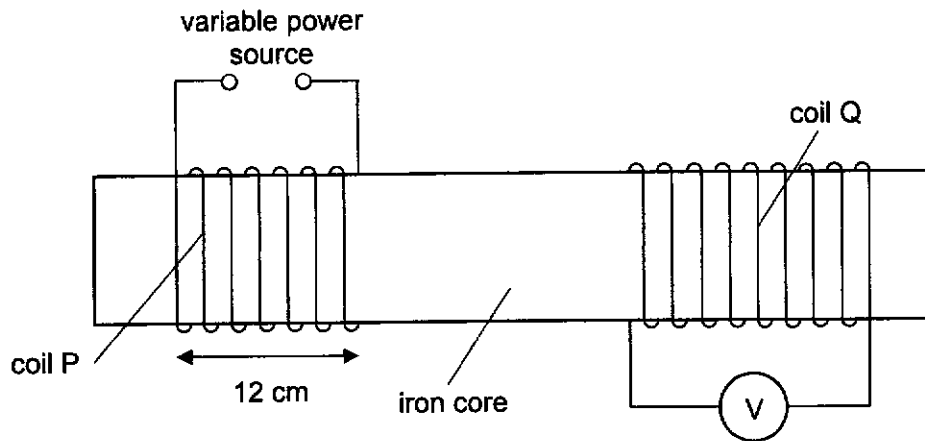


Fig. 4.1

Coil P contains 1800 turns of wire, has a length of 12 cm, and is connected to a variable power supply. Coil Q contains 2400 turns of wire and is connected to a voltmeter. The diameter of each turn of wire for both coils is 3.6 cm.

The variation with t of the current I in coil P is shown in Fig. 4.2.

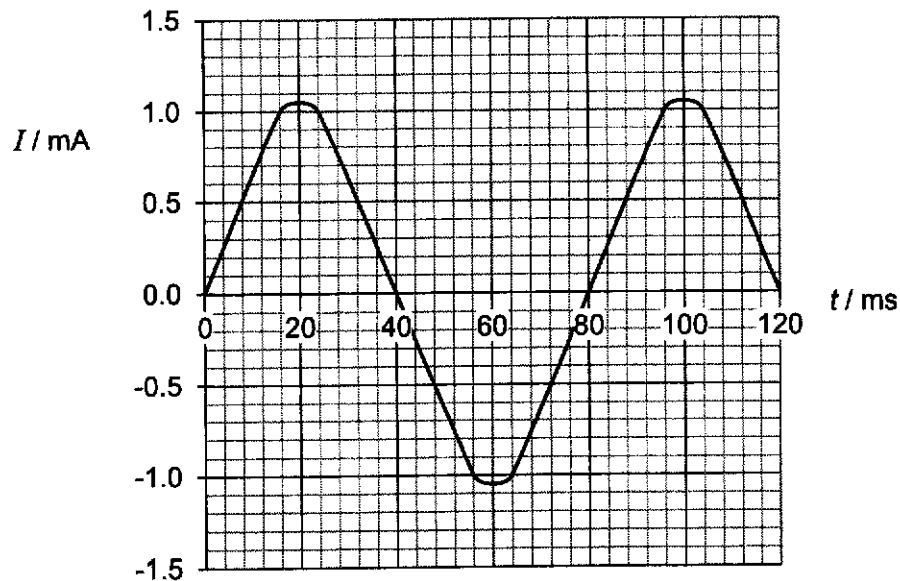


Fig. 4.2

- (i) The permeability of the iron core is $1.0 \times 10^3 \mu_0$.

Show that the maximum magnetic flux ϕ in the iron core is 2.0×10^{-5} Wb.

[2]

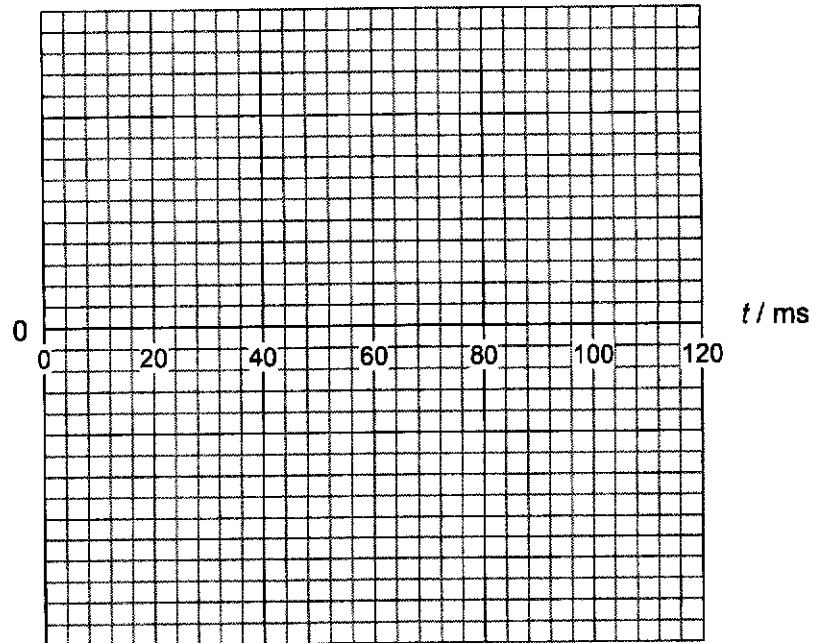
- (ii) Determine the maximum reading recorded in the voltmeter.

reading = V [4]

- (iii) Using your answers in (i) and (ii), draw in Fig. 4.3 the variations with time t of the flux ϕ in the iron core and the reading V in the voltmeter.

Add a suitable scale to the vertical axis.

$$\phi / \times 10^{-5} \text{ Wb}$$



$$V / \text{V}$$

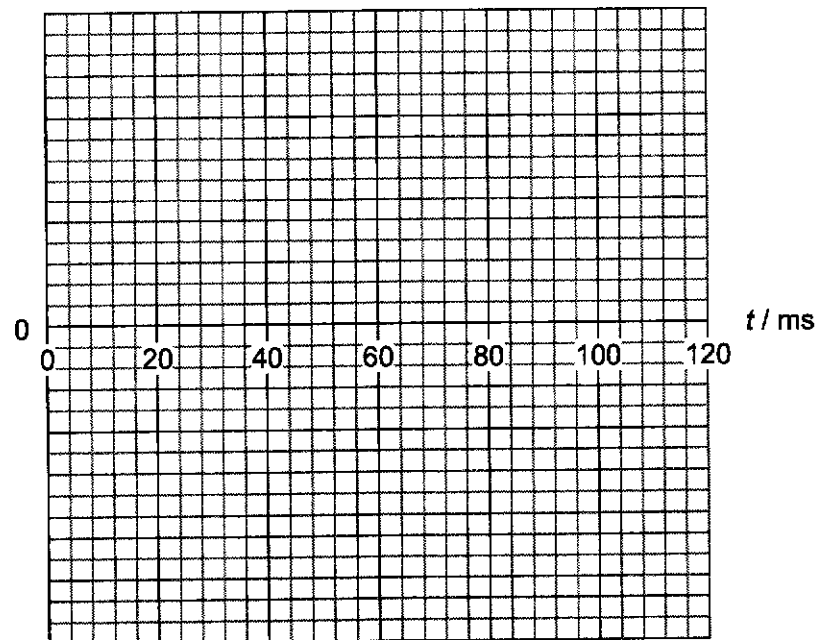


Fig. 4.3

[3]

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- 5 Fig. 5.1 shows an ideal transformer, where the primary coil is connected to an alternating voltage supply of 20 V. The secondary coil is connected to an ideal ammeter and a fixed resistor R of resistance 50Ω . The number of turns in the primary coil N_p is 25.

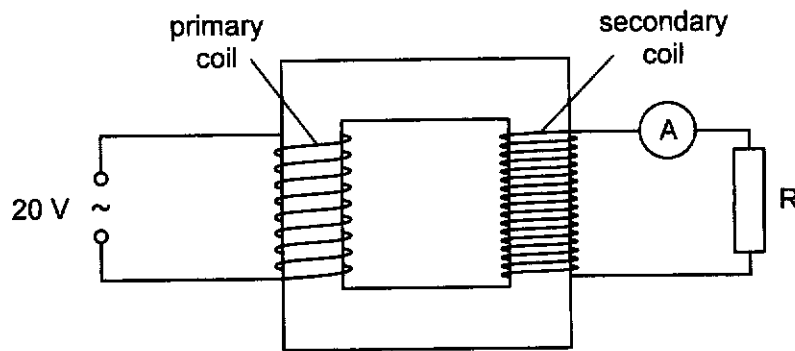


Fig. 5.1

Fig. 5.2 shows the variation with time t of the current I recorded from the ammeter.

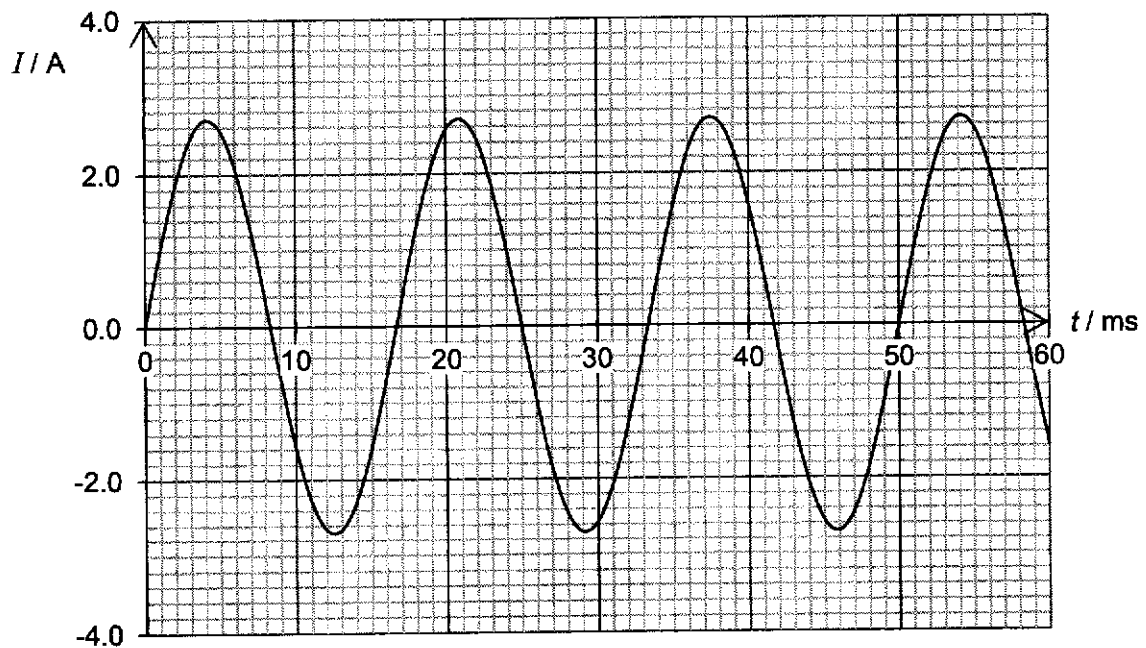


Fig. 5.2

- (a) Determine the mean power dissipated across the resistor R .

mean power = W [2]

(b) Determine the number of turns in the secondary coil N_s .

$N_s = \dots\dots\dots$ [2]

(c) Determine the frequency of the alternating voltage supply. Explain your working.

frequency = $\dots\dots\dots$ Hz [2]

(d) Explain how your answer in (a) will be affected if the frequency of the alternating voltage supply is doubled, while the peak voltage of the supply remains the same.

.....
.....
..... [2]

- 6 (a) State what is meant by the term *threshold frequency* as applied to the photoelectric effect.

.....
 [1]

- (b) In a typical set-up of the photoelectric experiment, a metal surface is illuminated with radiation of wavelength 450 nm, causing the emission of photoelectrons which are collected at an adjacent electrode.

- (i) Calculate the energy of a photon incident on the surface.

energy = J [2]

- (ii) The intensity of the incident radiation is $2.7 \times 10^3 \text{ W m}^{-2}$ and the area of the metal surface is 3.0 cm^2 .

Calculate the number of photons incident per second on the surface.

number per second = [2]

(iii) Fig. 6.1 shows a graph of how the photoelectric current I varies with the potential difference V between the electrodes.

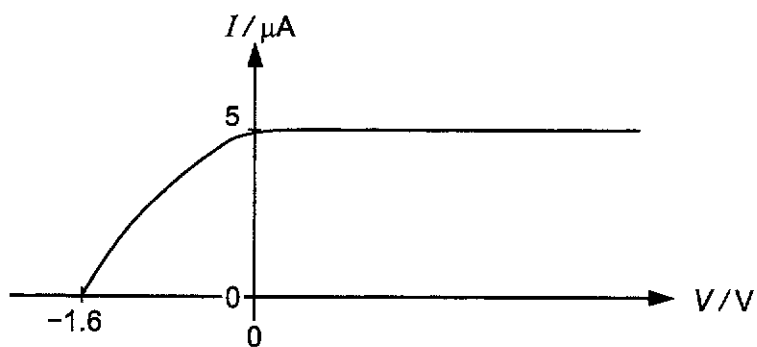


Fig. 6.1

Calculate the threshold wavelength of the metal.

wavelength = m [3]

- (c) The X-ray spectrum is first produced by an X-ray tube with tungsten (atomic number, $Z = 74$). Another X-ray spectrum is produced using barium (atomic number, $Z = 56$) and both spectrums are as shown in Fig. 6.2.

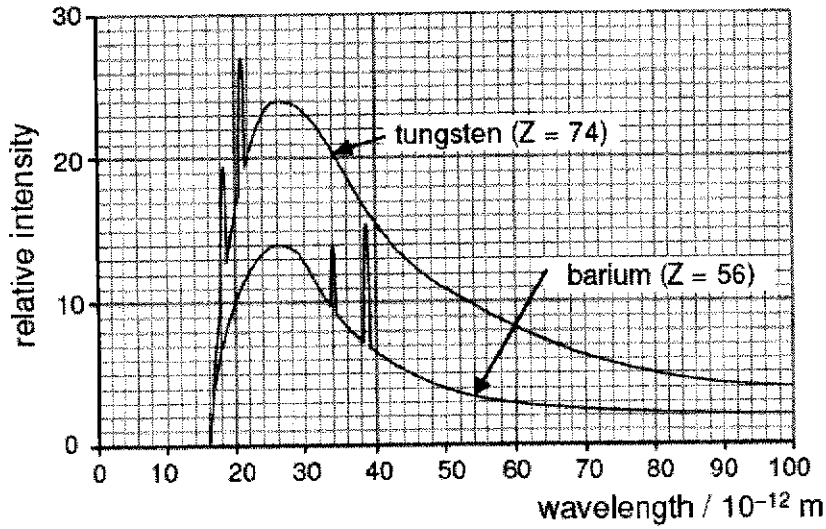


Fig. 6.2

- (i) The accelerating potential used to produce the X-ray spectra using tungsten and barium are the same.

State a feature in Fig. 6.2 that shows how this can be deduced.

.....
 [1]

- (ii) Determine the accelerating potential.

accelerating potential = V [2]

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7 (a) Define

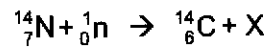
(i) half-life,

.....
 [1]

(ii) decay constant.

.....
 [1]

(b) The presence of radioactive carbon-14 ($^{14}_6\text{C}$) is caused by the collision of neutrons with nitrogen-14 ($^{14}_7\text{N}$) in the upper atmosphere. The equation for the reaction is:



Data for some masses are given in Fig. 7.1.

nucleus	mass / u
carbon-14	14.003242
nitrogen-14	14.003158
neutron	1.008665

Fig. 7.1

(i) Use the data from Fig. 7.1 to determine the mass of the particle X in u , given that the amount of energy released in one such reaction is 0.7060 MeV.

mass = u [3]

(ii) The mass of carbon-14 produced by this reaction in one year is 7.5 kg. The molar mass of carbon-14 is 14 g. The half-life of carbon-14 is 5.7×10^3 years.

1. Determine the number of carbon-14 atoms produced each year.

number of atoms = [1]

2. Determine the probability of decay of a carbon-14 nucleus in a time of 1.0 year.

probability = [1]

Section B

Answer **one** question from this Section in the spaces provided.

- 8 (a) State what is meant by *simple harmonic motion*.

.....

.....

.....

..... [2]

- (b) An electric toothbrush has a circular brush head of diameter 12 mm as shown in Fig. 8.1.

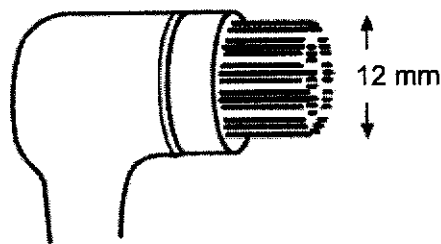


Fig. 8.1

The toothbrush has two settings.

On setting 1, the brush head vibrates with simple harmonic motion with a frequency of 33 Hz. From its leftmost position, it moves a maximum horizontal distance of 4.2 mm as shown in Fig. 8.2.

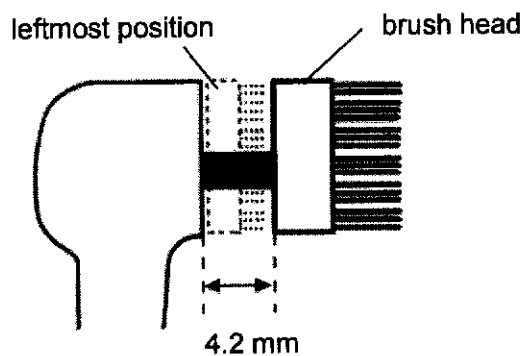


Fig. 8.2

- (i) Using the information provided, write an expression for the variation with time t of displacement x , in metres, of the brush head from its equilibrium position.

$x =$ [2]

- (ii) Determine the speed of the brush head when it has moved a horizontal distance of 0.8 mm to the right from its leftmost position.

Explain your working.

speed = m s⁻¹ [3]

- (c) On setting 2, the brush head can be considered to oscillate with simple harmonic motion with amplitude A as shown in Fig. 8.3.

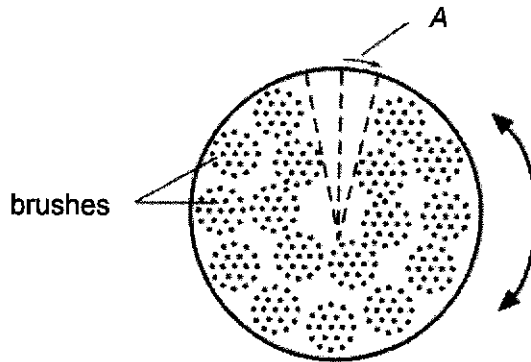


Fig. 8.3

The velocity, in m s⁻¹, of a point on the circumference of the head can be given by the expression

$$v = 9.2 \times 10^{-2} \cos 77t$$

Determine A .

$A =$ m [2]

(d) Fig. 8.4 shows a particle of toothpaste of mass 2.5×10^{-6} kg on the edge of the brush head.

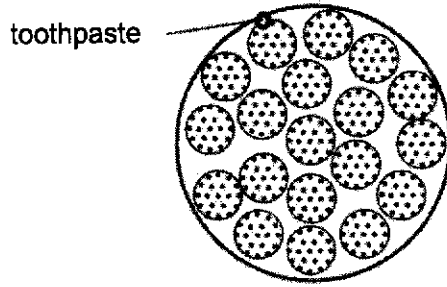


Fig. 8.4

The switch is on setting 2.

(i) Calculate the maximum kinetic energy of the particle of toothpaste.

maximum kinetic energy = J [2]

(ii) On the axes of Fig. 8.5, sketch a graph of the variation of the kinetic energy of the particle with time over two periods. Appropriate numerical values are required on both axes.

Add suitable scales to both axes.

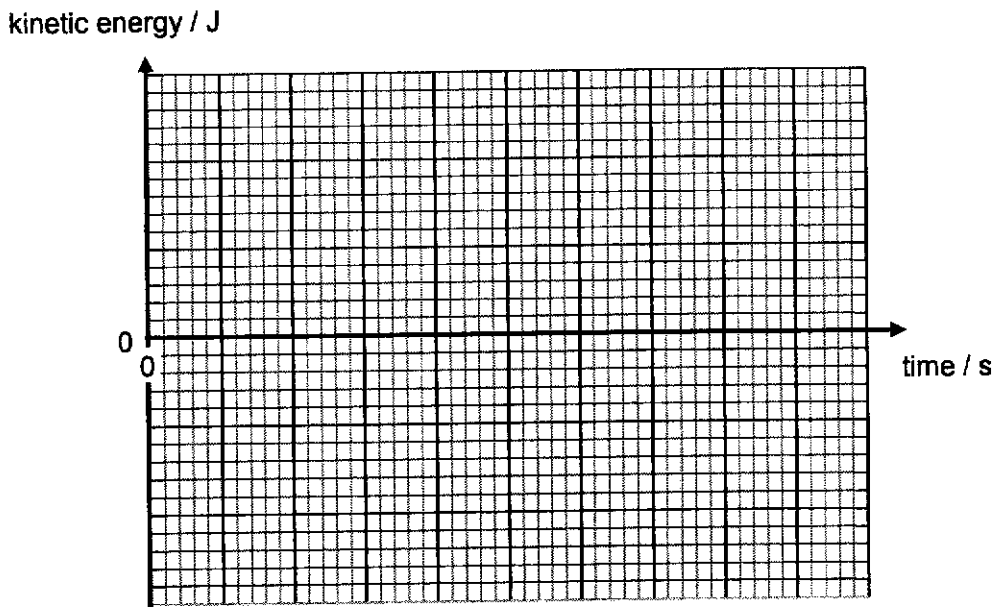


Fig. 8.5

[3]

(iii) Determine the time interval between the maximum linear velocity of the toothpaste and its subsequent maximum linear acceleration when both are in the same direction.

time = s [2]

(e) The brush head is rotated by a machine whose oscillations are simple harmonic. A component of mass 0.0460 kg in the toothbrush was forced into oscillations when the machine is in use. Fig. 8.6 shows how the amplitude of the oscillation varies with frequency.

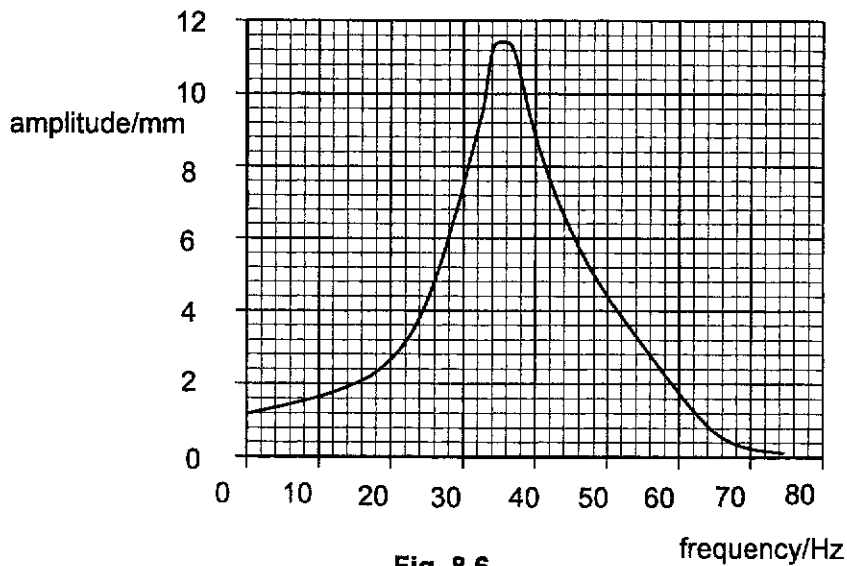


Fig. 8.6

(i) State

1. what is meant by a *forced* oscillation,

.....
 [1]

2. the name of the effect observed at a frequency of 35 Hz in Fig. 8.6.

.....
 [1]

(ii) Draw on Fig. 8.6 to show how the amplitude of the oscillation varies with frequency if the component is supported on a rubber mounting.

[2]

9 An ideal gas has a volume and mass of 500 cm^3 and 0.23 g respectively, at a pressure of 80 kPa and temperature of 250 K .

(a) The gas is first compressed at a constant pressure, such that the temperature of the gas changes to 180 K .

(i) Determine the work done on the gas.

work done = J [3]

(ii) Determine change in the internal energy of the gas.

change in internal energy = J [2]

(iii) Determine the heat loss by the gas in the process.

heat loss = J [1]

(b) The gas is then heated at constant volume, until the temperature reaches 250 K.

(i) Determine the pressure of the gas at 250 K.

pressure = kPa [2]

(ii) Determine the specific heat capacity of the gas at constant volume. Explain your working.

specific heat capacity = J kg⁻¹ K⁻¹ [3]

(iii) Determine the root-mean-square speed of the gas particles after it has been heated to 250 K.

root-mean-square speed = m s⁻¹ [2]

- (iv) State and explain how your answer in (iii) would vary if a greater amount of the same gas were to be heated to the same temperature.

.....

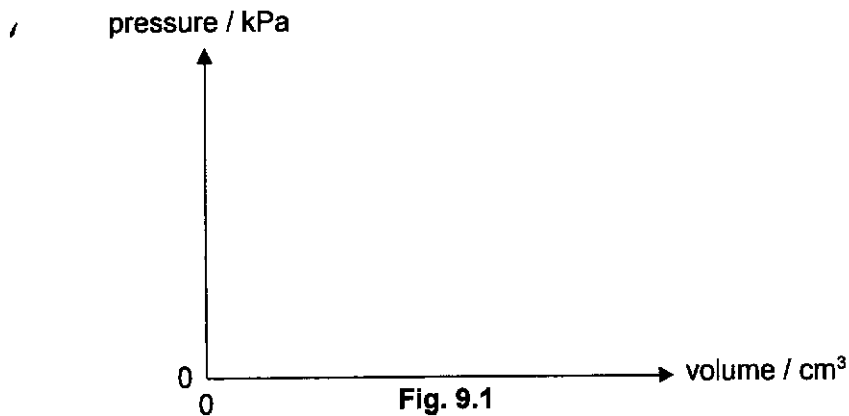
 [2]

- (c) The gas now undergoes an expansion at constant temperature, until the volume of the gas reaches 500 cm^3 and the gas returns to its original state.

In Fig. 9.1, sketch the variation with volume of the pressure of the gas as it undergoes a cycle of the following processes:

- (i) compression at constant pressure in (a),
 (ii) heating at constant volume in (b),
 (iii) expansion at constant temperature in (c).

Appropriate numerical values are required on both axes.



[3]

- (d) State and explain whether heat is gained or lost by the gas in one cycle of the processes in (c).

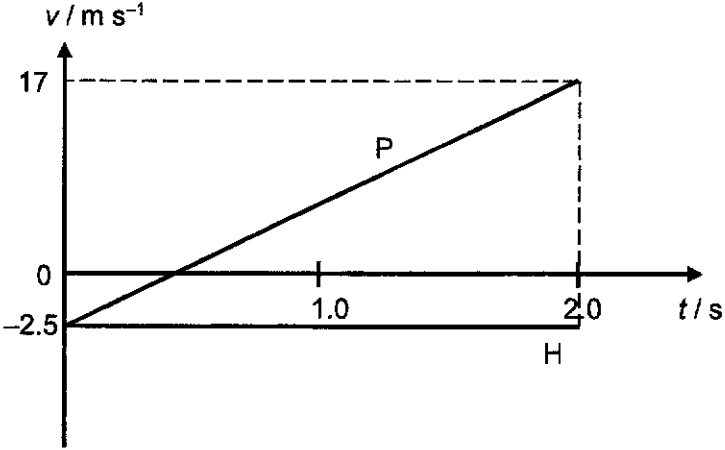
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 [2]

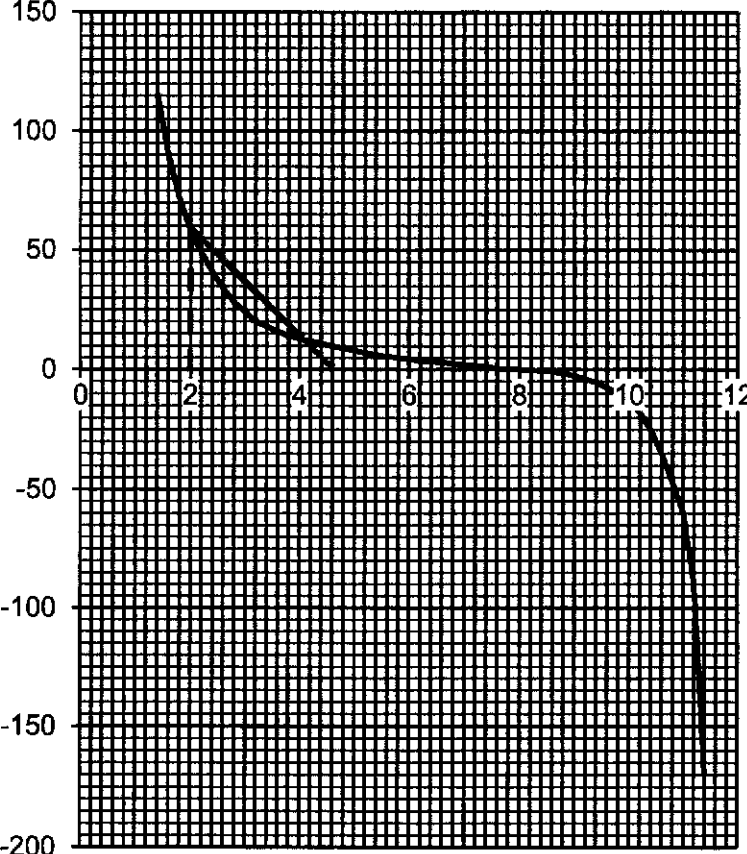
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Answers to 2024 JC2 H2 Preliminary Examinations Paper 3

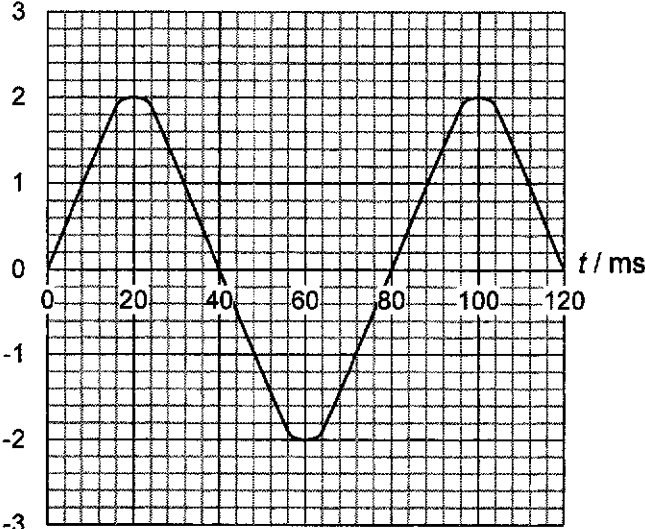
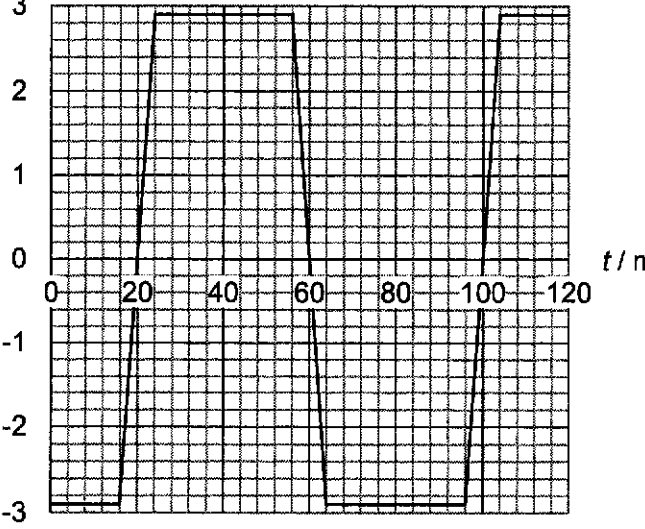
Suggested Solutions:

No.	Solution	Remarks
1(a)	$v = u + at = -2.5 + (9.81)(2.0)$ $= 17.1$ Speed is 17 m s^{-1}	[1] substitution [1] answer
1(b)		[1] helicopter: horizontal straight line (-ve value) [1] parcel: diagonal straight line (+ve gradient) (reverse sign accepted) [-1] if not labelled
1(c)	Distance between helicopter and parcel = area of right-angled triangle $= \frac{1}{2}(2.0)(17.1 + 2.5) = 19.6 \text{ m}$ OR From point of release, For helicopter, upwards $s = ut = (2.5)(2.0) = 5.0 \text{ m}$ For parcel, downward $s = ut + \frac{1}{2}at^2$ $= (-2.5)(2.0) + \frac{1}{2}(9.81)(2.0)^2$ $= 14.6 \text{ m}$ Hence their separation = $5.0 + 14.6 = 19.6 \text{ m}$	[1] working [1] answer
2(a)	The change in height is negligible compared with radius of the planet. Thus, the field strength $g = \frac{GM}{R^2}$ remains relatively constant for any small change in R . The gravitational field lines are effectively parallel.	[1]
2(b)(i)	$Y = \frac{GM}{R^2}$ where G is the gravitational constant	[1]

2(b)(ii)		<p>[1] for correct shape of curve from $-3R$ to $-R$; ending at $(-R, 1.0Y)$</p> <p>[1] for correct shape of curve from R to $3R$; starting at $(R, -1.0Y)$</p> <p>[1] for curves passing through $(-3R, 0.11Y)$; $(-2R, 0.25Y)$; $(2R, -0.25Y)$; $(3R, -0.11Y)$ (don't need to mark for $\pm 3R$)</p>
2(b)(iii)	<p>Initial total energy = Final total energy</p> $\frac{1}{2}mv^2 - \frac{GMm}{R} = \frac{1}{2}\left(\frac{1}{2}mv^2\right) - \frac{GMm}{x}$ $\frac{1}{4}v^2 = GM\left(\frac{1}{R} - \frac{1}{x}\right)$ $\frac{1}{4}(4.7 \times 10^3)^2 = (6.67 \times 10^{-11})(6.4 \times 10^{23})\left(\frac{1}{3.4 \times 10^6} - \frac{1}{x}\right)$ $x = 6.070 \times 10^6 \text{ m}$ <p>Therefore distance travelled</p> $= x - R$ $= 6.070 \times 10^6 - 3.4 \times 10^6$ $= 2.670 \times 10^6 \text{ m}$ $= 2.7 \times 10^6 \text{ m}$	<p>[1] for correct equation for conservation of energy</p> <p>[1] for correct substitution</p> <p>[1] for correct answer</p>
3(a)	<p>The <u>electric field strength in both sphere A</u> (between $x = 0$ and $x = 1.4 \text{ cm}$) and <u>sphere B is zero</u> (between $x = 11.4$ and $x = 12.0 \text{ cm}$).</p>	[1]
3(b)(i)	<p>The <u>resultant field strength is zero at a point between the spheres</u> and this shows that <u>electric fields are in opposite directions in the region between the two spheres.</u></p> <p>This shows that the polarity of the two charges are the same. Hence, since sphere A is positively charged, <u>sphere B must also be positively charged.</u></p>	<p>[1] expl</p> <p>[1] state</p>

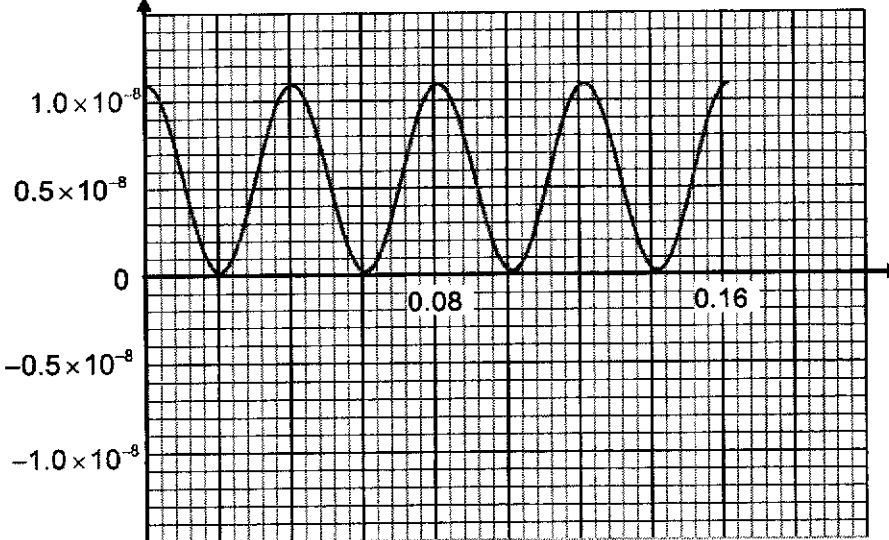
<p>3(b)(ii)</p>	<p>At $x = 0.08$ m, the electric field strength due to sphere A cancels out the electric field strength due to sphere B.</p> $E_A = E_B$ $\frac{Q_A}{4\pi\epsilon_0 (0.08)^2} = \frac{Q_B}{4\pi\epsilon_0 (0.04)^2}$ $\frac{Q_A}{Q_B} = \left(\frac{0.08}{0.04}\right)^2 = 4$	<p>[1] sub</p> <p>[1] ans</p>
<p>3(c)(i)</p>	<p>The electric field strength is <u>negative of the electric potential gradient</u>, i.e. $E = -\frac{dV}{dx}$</p>	<p>[1]</p> <p>don't accept</p> $E = -\frac{dV}{dx}$
<p>3(c)(ii)</p>	 <p>From $E = -\frac{dV}{dx} \Rightarrow \Delta V = -\int_{x=2\text{cm}}^{x=8\text{cm}} E dx$</p> <p>Hence, change in potential,</p> <p>$\Delta V =$ negative of area under E-x graph (from $x = 2.0$ cm to $x = 8.0$ cm)</p> <p>By approximation, area of triangle \approx area under E-x graph (from $x = 2.0$ cm to $x = 8.0$ cm)</p>	<p>[1] $\Delta V =$ area under E-x graph</p> <p>[1] value of ΔV</p>

	$\Delta V = -\frac{1}{2}(2.6 \times 10^{-2})(60 \times 10^6) = -7.8 \times 10^5 \text{ V}$ $\text{Work done} = (-7.8 \times 10^5)(-2.0 \times 10^{-6}) = 1.6 \text{ J}$	[1] ans accept 1.4 J to 1.8 J
4(a)	<p>The magnetic flux linkage is the product of the number of turns of the coil of wire and the magnetic flux through (each turn of) the coil of wire.</p> <p>The magnetic flux through an area is defined as the product of that area and the component of the magnetic flux density normal to the plane of that area.</p>	[1] [1]
4(b)(i)	$\phi_{\max} = B_{\max} A$ $= (\mu n I_{\max}) A$ $= (1000 \times 4\pi \times 10^{-7}) \left(\frac{1800}{0.12} \right) (1.05 \times 10^{-3}) \left(\frac{\pi \times 0.036^2}{4} \right)$ $= 2.014 \times 10^{-5} \text{ Wb}$ $= 2.0 \times 10^{-5} \text{ Wb}$	[1] substitution for B_{\max} only [1] unrounded value for max flux
4(b)(ii)	<p>By Faraday's law of EMI,</p> $E_{\text{induced}} = -\frac{d\Phi}{dt}$ $= -\frac{d(N_Q BA)}{dt}$ $= -N_Q A \frac{d(1000 \mu_0 n I)}{dt}$ $= -1000 N_Q A \mu_0 n \frac{dI}{dt}$ $\frac{dI}{dt} = \frac{[1.0 - (-1.0)] \times 10^{-3}}{(24 - 56) \times 10^{-3}}$ $E_{\text{induced}} = -(1000)(2400) \left(\frac{\pi(0.036)^2}{4} \right) (4\pi \times 10^{-7}) \left(\frac{1800}{0.12} \right) \frac{dI}{dt}$ $= 2.88 \text{ V}$	[1] for correct substitution of $\mu n A$ [1] correct gradient from Fig. 4.2 [1] for correct substitution of N_Q [1] for final answer

<p>4(b)(iii)</p>	<p>$\phi / \times 10^{-5} \text{ Wb}$</p>  <p>t / ms</p> <p>V / V</p>  <p>t / ms</p>	<p>[1] for $\phi - t$ graph</p> <p>[1] for $V - t$ graph</p> <p>[1] for correct scale on vertical axes of both graphs</p>
<p>5(a)</p>	<p>Mean power $\langle P \rangle = I_{r.m.s.}^2 R$</p> $= \left(\frac{2.7}{\sqrt{2}} \right)^2 (50)$ $= 182 \text{ W} = 180 \text{ W}$	<p>[1] sub</p> <p>[1] ans</p>
<p>5(b)</p>	<p>r.m.s voltage across secondary coil $V_S = I_{r.m.s.} R$</p> $= \left(\frac{2.7}{\sqrt{2}} \right) (50)$ $= 95.5 \text{ V}$	<p>[1] value</p>

	<p>Turns ratio, $\frac{N_P}{N_S} = \frac{V_P}{V_S}$</p> $\frac{25}{N_S} = \frac{20}{95.46}$ $N_S = \frac{(25)(95.5)}{20}$ $= 119 = 120$	[1] ans
5(c)	<p>For the current in the secondary coil,</p> $\text{Period } T = \frac{50 \times 10^{-3}}{3} = 1.67 \times 10^{-2}$ $\text{Frequency } f = \frac{1}{1.67 \times 10^{-2}}$ $= 60 \text{ Hz}$ <p>Hence, the frequency of the alternating voltage supply is 60 Hz since it is the same as the frequency of the current through the secondary coil.</p>	[1] correct T [1] ans and statement
5(d)	<p>The <u>values of the root-mean-square current and voltage of the alternating voltage supply are independent of its frequency.</u></p> <p>The <u>mean power due to the alternating voltage supply is constant.</u> Since the transformer is ideal, the <u>mean power dissipated across R remains unchanged.</u></p>	[1] [1]
6(a)	<p>Threshold frequency refers to the <u>minimum frequency</u> of the illuminating electromagnetic radiation that will cause a photoelectron to be ejected for a particular metal.</p>	[1]
6(b)(i)	<p>Energy of a photon,</p> $E = \frac{hc}{\lambda} = \frac{(6.63 \times 10^{-34})(3.00 \times 10^8)}{450 \times 10^{-9}} = 4.42 \times 10^{-19} \text{ J}$	[1] sub [1] ans
6(b)(ii)	<p>Power incident on metal,</p> $P = (2.7 \times 10^3)(3.0 \times 10^{-4}) = 0.81 \text{ W}$ $P = \left(\frac{N}{t}\right)E$ $\Rightarrow \frac{N}{t} = \frac{P}{E} = \frac{0.81}{4.42 \times 10^{-19}} = 1.83 \times 10^{18} \text{ s}^{-1}$	[1] value [1] ans
6(b)(iii)	<p>Max. K.E. = $eV_s = (1.6 \times 10^{-19})(1.6) = 2.56 \times 10^{-19} \text{ J}$</p> <p>Applying Einstein Photoelectric equation, Work function, $\phi = hf - \text{max. K.E.} = 4.42 \times 10^{-19} - 2.56 \times 10^{-19} = 1.86 \times 10^{-19} \text{ J}$</p>	[1] value [1] value

	Threshold wavelength, $\lambda = \frac{hc}{\phi} = \frac{(6.63 \times 10^{-34})(3.00 \times 10^8)}{1.86 \times 10^{-19}} = 1.07 \times 10^{-6} \text{ m}$	[1] ans
6(c)(i)	From the graph, λ_{\min} is the same for both spectra. $eV = \frac{hc}{\lambda_{\min}} \Rightarrow V = \frac{hc}{e\lambda_{\min}}$	[1]
6(c)(ii)	From the graph, $\lambda_{\min} = 16 \times 10^{-12} \text{ m}$ $V = \frac{hc}{e\lambda_{\min}} = \frac{6.63 \times 10^{-34} \times 3.00 \times 10^8}{1.60 \times 10^{-19} \times 16 \times 10^{-12}} = 7.8 \times 10^4 \text{ V}$	[1] sub [1] ans
7(a)(i)	The half-life of a radioactive nuclide is the <u>time taken for the activity of a sample to reduce to half its initial value.</u>	[1] answer
7(a)(ii)	The decay constant is the <u>fraction of the total number of nuclei in a sample that decay per unit time.</u>	[1] answer
7(b)(i)	$E = \Delta m c^2 = 0.7060 \text{ MeV} = (0.7060)(1.6 \times 10^{-13})$ $= 1.1296 \times 10^{-13} \text{ J}$ $\rightarrow \Delta m = \frac{E}{c^2} = \frac{1.1296 \times 10^{-13}}{(3 \times 10^8)^2} = 1.2551 \times 10^{-30} \text{ kg}$ $= \frac{1.2551 \times 10^{-30}}{1.66 \times 10^{-27}} = 7.5609 \times 10^{-4} \text{ u}$ $M_N + M_n - (M_C + M_X) = 7.5609 \times 10^{-4} \text{ u}$ $\rightarrow M_X = 1.00858 \text{ u} - 7.5609 \times 10^{-4} \text{ u} = 1.007825 \text{ u} = 1.01 \text{ u}$	[1] Δm in kg [1] convert kg to u [1] answer
7(b)(ii)1.	Number produced = $\frac{7500}{14} (6.02 \times 10^{23}) = 3.2 \times 10^{26}$	[1] answer
7(b)(ii)2.	The probability of decay of the nucleus in a time of 1.0 year is the decay constant of the nucleus in that period of time. Decay constant, $\lambda = \frac{\ln 2}{t_{1/2}} = \frac{\ln 2}{5.7 \times 10^3} = 1.22 \times 10^{-4} \text{ year}^{-1}$	[1] answer
8(a)	Simple harmonic motion occurs when the <u>acceleration of the object is directly proportional to its displacement from its equilibrium position and the acceleration is towards the equilibrium position/opposite to its displacement.</u>	[1] [1]
8(b)(i)	$\omega = 2\pi f = 2\pi(33) = 66\pi$ $x = 2.1 \times 10^{-3} \sin[(66\pi)t]$	[1] correct amplitude and ω [1] any correct equation

8(b)(ii)	<p>A distance of 0.8 mm to the right means the brush head is 1.3 mm from its equilibrium point.</p> $x = 2.1 \times 10^{-3} \sin[(66\pi)t]$ $1.3 \times 10^{-3} = 2.1 \times 10^{-3} \sin[(66\pi)t]$ $t = 3.2 \times 10^{-3} \text{ s}$ $v = (2.1 \times 10^{-3})(66\pi) \cos[(66\pi)t]$ $= (2.1 \times 10^{-3})(66\pi) \cos[(66\pi)(3.2 \times 10^{-3})]$ $= 0.34 \text{ m s}^{-1}$	<p>[1] correct x</p> <p>[1] correct substitution</p> <p>[1] correct ans</p>
8(c)	$v = 9.2 \times 10^{-2} \cos 77t$ $v_o = \omega x_o = 9.2 \times 10^{-2}$ $(77)x_o = 9.2 \times 10^{-2}$ $x_o = 1.2 \times 10^{-3} \text{ m}$	<p>[1] correct v_o substitution</p> <p>[1] correct answer</p>
8(d)(i)	$v = 9.2 \times 10^{-2} \cos 77t$ $\max K.E. = \frac{1}{2}mv_o^2 = \frac{1}{2}(2.5 \times 10^{-6})(9.2 \times 10^{-2})^2 = 1.1 \times 10^{-8} \text{ J}$	<p>[1] correct K.E. substitution</p> <p>[1] correct answer</p>
8(d)(ii)	<p>kinetic energy / J</p>  <p>[1] for correct shape over 2 periods [1] for correct calculation of period T [1] for correct labelling of both axes</p> $\omega = \frac{2\pi}{T} = 77$ $T = 0.082 \text{ s}$	

8(d)(iii)	<p>Frequency is $f = \frac{77}{2\pi}$ Hz.</p> <p>The time interval is $\frac{3}{4}T = \frac{3}{4f} = \frac{3(2\pi)}{4(77)} = 0.061$ s.</p>	<p>[1] for $\frac{3}{4}T$</p> <p>[1] ans</p>
8(e)(i)1.	A forced oscillation is one which is driven <u>by an external force</u> such that energy is supplied to the oscillation.	[1]
8(e)(i)2.	The effect illustrated is called resonance.	[1]
8(e)(ii)	<p><u>same starting point</u> and <u>lower graph peak</u></p> <p>maximum amplitude at same / lower frequency within original shape</p>	<p>[1]</p> <p>[1]</p>
9(a)(i)	<p>At constant pressure,</p> $V \propto T$ $\frac{V_1}{V_2} = \frac{T_1}{T_2}$ $\frac{500}{V_2} = \frac{250}{180}$ $V_2 = 360 \text{ cm}^3$ <p>work done on gas = $-p\Delta V$</p> $= -(80 \times 10^3)(360 - 500) \times 10^{-6}$ $= 11.2 \text{ J}$	<p>[1] for correct V_2</p> <p>[1] for substitution</p> <p>[1] for answer</p>
9(a)(ii)	<p>Using $pV=nRT$,</p> $n = \frac{pV}{RT} = \frac{(80 \times 10^3)(500 \times 10^{-6})}{(8.31)(250)} = 0.01925 \text{ mol}$ <p>Change in internal energy,</p> $\Delta U = \frac{3}{2}nR\Delta T = \frac{3}{2}(0.01925)(8.31)(180 - 250) = -16.8 \text{ J}$ <p>OR</p> <p>Change in internal energy,</p> $\Delta U = \frac{3}{2}nR\Delta T = \frac{3}{2}p\Delta V$ $= \frac{3}{2}(80 \times 10^3)(360 - 500) \times 10^{-6} = -16.8 \text{ J}$	<p>[1] for substitution</p> <p>[1] for answer</p>
9(a)(iii)	<p>Using first law of thermodynamics,</p> $\Delta U = Q + W$ $Q = \Delta U - W$ $= -16.8 - 11.2$ $= -28.0 \text{ J}$ <p>Hence, the amount of heat lost is 28.0 J.</p>	[1] for answer (must be positive)

9(b)(i)	Using $pV=nRT$, $p = \frac{nRT}{V} = \frac{(0.01925)(8.31)(250)}{(360 \times 10^{-6})} = 111 \text{ kPa}$	[1] for substitution [1] for answer
9(b)(ii)	Change in internal energy, $\Delta U = \frac{3}{2} nR\Delta T = \frac{3}{2} (0.01925)(8.31)(250 - 180) = 16.8 \text{ J}$ Since there is no work done on the gas as volume is constant, $\Delta U = Q$ $Q = mc\Delta T = 16.8$ $c = \frac{16.8}{(0.23 \times 10^{-3})(250 - 180)} = 1043 \approx 1040 \text{ J kg}^{-1} \text{ K}^{-1}$	[1] correct explanation and application of $\Delta U = Q$ [1] for substitution [1] for answer
9(b)(iii)	$\frac{3}{2} nRT = \frac{1}{2} m_{\text{total}} \langle c^2 \rangle$ $c_{\text{r.m.s.}} = \sqrt{\frac{3nRT}{m}} = \sqrt{\frac{3(0.01925)(8.31)(250)}{(0.23 \times 10^{-3})}}$ $= 722.2 \approx 720 \text{ m s}^{-1}$	[1] substitution [1] answer
9(b)(iv)	The root-mean-square speed of the particles would remain the same. This is because the root-mean-square speed for each particle is only dependent on the temperature and not on the amount of gas, given that the mass of each particle is the same.	[1] [1]
9(c)	<p>pressure / kPa</p> <p>111</p> <p>80</p> <p>0</p> <p>0 360 500</p> <p>volume / cm³</p> <p>(b)</p> <p>(c)</p> <p>(a)</p>	[1] for each process [-1] for missing axis labels
9(d)	Since the work done by the gas during expansion is greater than the work done on the gas during compression, there is a <u>net work done by the gas</u> in each cycle. Since there is no change in internal energy in each cycle, the <u>gas gains heat</u> in each cycle.	[1] [1]